

## Supporting information

Codes for constructing the network.

1/ R codes to compute parameters for the Beta distributions with mean value 'init = 0.5' and  $p(0.001 < \text{init} < 0.999) = 0.95$  (adapted from the codes provided by T. Radkte :

<https://minimizeregret.com/post/2016/10/01/setting-hyperparameters-of-a-beta-distribution/>)

```
x<-seq(0,1,length=1000)
```

```
init<-0.5
```

```
min<-0.001
```

```
max<-0.999
```

```
ww<-optimHyperpars(init,min,max)
```

```
alpha<-ww$optimalParameters$alpha
```

```
beta<-ww$optimalParameters$beta
```

```
optimHyperpars <- function(m,l,u, prob = 0.95, maxESS = 300, maxAlpha = 100)
```

```
{
```

```
  maxAlpha <- round(ifelse(m*maxESS < maxAlpha, m*maxESS, maxAlpha))
```

```
  computeDeviation <- function(a)
```

```
  {
```

```
    b <- round(a*(1-m)/m)
```

```
    betaIntegral <- pbeta(u, a, b) - pbeta(l, a, b)
```

```
    deviation <- (prob - betaIntegral)^2
```

```
    return(c(beta = b, deviation = deviation, coverage = betaIntegral))
```

```

}

optimSet <- 1:maxAlpha

parameterSet <- cbind(alpha = optimSet,
                      plyr::ldply(optimSet, computeDeviation))

optimalParameters <- parameterSet[which.min(parameterSet$deviation),1:2]

optimalDeviation <- min(parameterSet$deviation)

uniqueMinimum <- min(
  parameterSet$deviation[-which.min(parameterSet$deviation)]) !=
  optimalDeviation

if (!uniqueMinimum) message("The minimum is not unique.")

return(list(optimalParameters = optimalParameters,
           optimalDeviation = optimalDeviation,
           uniqueMinimum = uniqueMinimum,
           parameterSet = parameterSet))
}

```

2/ Parameters alpha and beta were obtained for each combination of risk factors. Example of the R code necessary to compute 'risk NG2' :

```

leak<-rbeta(x, 1,100)

start<-rbeta(x,1,9)

p<-1-((1-leak)*(1-start)*(1-start))

hist(p,main="risk NG2",xlab="Probability of disease")

```

```

qts<-quantile(p,probs=c(.025,.975))
mm<-mean(p)
ww<-optimHyperpars(mm,qts[1],qts[2])
alpha<-ww$optimalParameters$alpha
beta<-ww$optimalParameters$beta

```

3/ Building of the conditional probability tables (CPT) that associate predisposing factors and presence of clinical signs based on the values of alpha and beta obtained for the corresponding Beta distributions. Example of the Netica code for the CPT of a sire.

```

p(P_sire | D_sire, E_sire, A_sire, G_sire) =
(E_sire==ok && D_sire==ok && A_sire==ok && G_sire==AB) ?BetaDist(P_sire, 1,100):
(E_sire==ok && D_sire==ok && A_sire==ok && G_sire== AA) ?BetaDist(P_sire, 1,100):
(E_sire==nok && D_sire==ok && A_sire==ok && G_sire==AB) ? BetaDist(P_sire, 2,16) :
(E_sire==ok && D_sire==nok && A_sire==ok && G_sire==AB) ? BetaDist(P_sire, 2,16) :
(E_sire==ok && D_sire==ok && A_sire==nok && G_sire==AB) ? BetaDist(P_sire, 2,16) :
(E_sire==nok && D_sire==ok && A_sire==ok && G_sire== AA) ? BetaDist(P_sire, 2,16) :
(E_sire==ok && D_sire==nok && A_sire==ok && G_sire== AA) ? BetaDist(P_sire, 2,16) :
(E_sire==ok && D_sire==ok && A_sire==nok && G_sire== AA) ? BetaDist(P_sire, 2,16) :
(E_sire==ok && D_sire==ok && A_sire==ok && G_sire==BB) ? BetaDist(P_sire, 2,16) :
(E_sire==nok && D_sire==nok && A_sire==ok && G_sire== AA) ? BetaDist(P_sire, 1,4) :
(E_sire==nok && D_sire==ok && A_sire==nok && G_sire== AA) ? BetaDist(P_sire, 1,4)
:
(E_sire==ok && D_sire==nok && A_sire==nok && G_sire== AA) ? BetaDist(P_sire, 1,4)
:

```

$(E\_sire==nok \ \&\& \ D\_sire==nok \ \&\& \ A\_sire==ok \ \&\& \ G\_sire==AB) ? \text{BetaDist}(P\_sire, 1,4) :$   
 $(E\_sire==nok \ \&\& \ D\_sire==ok \ \&\& \ A\_sire==nok \ \&\& \ G\_sire==AB) ? \text{BetaDist}(P\_sire, 1,4) :$   
 $(E\_sire==ok \ \&\& \ D\_sire==nok \ \&\& \ A\_sire==nok \ \&\& \ G\_sire==AB) ? \text{BetaDist}(P\_sire, 1,4) :$   
 $(E\_sire==nok \ \&\& \ D\_sire==ok \ \&\& \ A\_sire==ok \ \&\& \ G\_sire==BB) ? \text{BetaDist}(P\_sire, 3,12) :$   
 $(E\_sire==ok \ \&\& \ D\_sire==nok \ \&\& \ A\_sire==ok \ \&\& \ G\_sire==BB) ? \text{BetaDist}(P\_sire, 3,12) :$   
 $(E\_sire==ok \ \&\& \ D\_sire==ok \ \&\& \ A\_sire==nok \ \&\& \ G\_sire==BB) ? \text{BetaDist}(P\_sire, 3,12) :$   
 $(E\_sire==nok \ \&\& \ D\_sire==nok \ \&\& \ A\_sire==nok \ \&\& \ G\_sire==AA) ? \text{BetaDist}(P\_sire, 1,3)$   
:  
 $(E\_sire==nok \ \&\& \ D\_sire==nok \ \&\& \ A\_sire==nok \ \&\& \ G\_sire==AB) ? \text{BetaDist}(P\_sire, 1,3)$   
:  
 $(E\_sire==nok \ \&\& \ D\_sire==ok \ \&\& \ A\_sire==nok \ \&\& \ G\_sire==BB) ? \text{BetaDist}(P\_sire, 2,5) :$   
 $(E\_sire==ok \ \&\& \ D\_sire==nok \ \&\& \ A\_sire==nok \ \&\& \ G\_sire==BB) ? \text{BetaDist}(P\_sire, 2,5):$   
 $(E\_sire==nok \ \&\& \ D\_sire==nok \ \&\& \ A\_sire==ok \ \&\& \ G\_sire==BB) ? \text{BetaDist}(P\_sire, 2,5):$   
 $\text{BetaDist}(P\_sire, 2,4)$