An Enhanced Multicell-to-Multicell Battery Equalizer Based on Bipolar-Resonant LC Converter

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Abstract: In a battery management system (BMS), battery equalizer is used to achieve voltage consistency between series connected battery cells. Recently, serious inconsistency has been founded to exist in retired batteries, and traditional equalizers are slow or inefficient to handle the situation. The multicell-to-multicell (MC2MC) topology, which can directly transfer energy from consecutive strong cells to consecutive weak cells, is promising to solve the problem, but its performance is limited by the existing converter. Therefore, this paper proposes an enhanced MC2MC equalizer based on a novel bipolar-resonant LC converter (BRLCC), which supports flexible and efficient operation modes with stable balancing power, can greatly improve the balancing speed without much sacrificing the efficiency. Mathematical analysis and comparison with typical equalizers are provided to illustrate its high balancing speed and good efficiency. An experimental prototype for 8 cells is built, and the balancing powers under different operation modes are from 1.426 W to 12.559 W with balancing efficiencies from 84.84% to 91.68%.

Keywords: battery management system (BMS); battery equalizers; retired batteries; multicell-to-multicell (MC2MC) balancing; resonant converter

1. Introduction

Lithium-ion batteries are the first-choice candidate as power source for electric vehicles (EVs), hybrid electric vehicles (HEVs) and many other energy storage systems (ESSs) due to their high specific energy, high energy density, and low self-discharge rate [1–3]. To meet the high voltage requirement of these applications, lithium-ion batteries have to be connected in series [4–6], which means the currents flowing through each cell become strictly equal. However, available capacities (which are the integrals of the current) among cells tend to be various because of manufacturing tolerances, temperature difference across the pack, and differences in self-discharge rate [7,8]. This variety of capacity will lead to some cells’ overcharge during charging process or lead to some cells’ over-discharge during discharging process [9]. To avoid the destructive overcharge or over-discharge of lithium-ion batteries [10], the pack normally has to end the charging/discharging process before it is fully charged/discharged, which means its capacity cannot be fully utilized [11,12]. This phenomenon can even get more serious after many charging and discharging cycles [13,14], and therefore cannot be permanently guaranteed by an initial selection of equal battery cells [15].

The battery management system (BMS), which is responsible for ensuring the batteries’ safety, reliability, performance and service life [16], should deal with this imbalance problem using equalization techniques. The equalization techniques can be mainly divided into passive methods and active methods [4,17]. Passive methods usually transfer the energy...
from the strong cells with high voltages to heat by shunting resistors, which are easy and cheap to implement, can prevent the overcharge of cells but may cause extra thermal problem [18]. Active methods transfer the energy from the strong cells to the weak cells by using energy storage elements, so the imbalanced energy will not be wasted and the capacity of the pack can be improved [15,19].

Recently, the equalization techniques are facing new challenges because great numbers of lithium-ion batteries are going to be retired from electric vehicles [20,21]. These retired batteries, though cannot meet the strict mileage requirement of EVs, are sufficient for safe reuse in applications such as ESSs for wind or solar power [22] and can bring great economic and environmental benefits. However, the imbalance between the retired batteries is more serious than that of the new batteries [20]. Moreover, it is founded that neighboring consecutive cells tend to be in need of charge or discharge simultaneously [23]. A plausible reason is that the ambient temperature of neighboring cells is similar, making them have a similar capacity degradation [17].

In this case, existing equalizers will suffer from slow balancing speed or low balancing efficiency. Figure 1 shows an example when several consecutive high-voltage battery $B_1$, $B_2$, and $B_3$ are in need of discharge and are set as the equalization’s source group, and a low-voltage battery $B_n$ is in need of charge and is set as the equalization’s target group. Adjacent-cell-to-cell (AC2C) equalizers [24–26] can realize balance between two adjacent cells, but the energy must be transferred through multiple cells between the source group and target group. So the energy of $B_1$ have to be delivered through $E_1$–$E_{n-1}$ before eventually sent to $B_n$ (see Figure 1a), leading to a slow balancing speed and low efficiency. Direct cell-to-cell (DC2C) equalizers [18,27–30] can realize direct equalization between any two cells, and they used to be considered as the quickest and most efficient topology [31]. However, the source and target of equalization can only be single cell, which means the rest cells have to wait. So, when $B_1$ is delivering energy through $E_1$ to $B_n$, the $B_2$ and $B_3$ have to queue (see Figure 1b), leading to a slow balancing speed. Cell-to-pack (C2P) equalizers [32–35] deliver the energy of a single cell to the whole pack and can realize fast equalization when only a few cells are strong. However, this will be very inefficient and slow when only a single cell is weak. In this case $B_1$, $B_2$, and $B_3$ not only have to queue, but also cannot directly transfer their energy to $B_n$ (see Figure 1c). Pack-to-cell (P2C) equalizers [36–38] deliver the energy of the whole pack to a single cell, so $B_1$, $B_2$, and $B_3$ can indirectly transfer their energy to $B_n$ (see Figure 1d). However, in an opposite case when $B_n$ has high voltage and $B_1$, $B_2$, and $B_3$ have low voltage, the equalization will be very slow and inefficient just like the C2P equalizers. Besides, AC2C, C2P and P2C equalizers will suffer from extra energy loss due to the unexpected charge of strong cells, unexpected discharge of weak cells, and repeated charge/discharge of irrelevant cells such as the $B_{n-1}$ [23].

Therefore, a multicell-to-multicell (MC2MC) topology has been discovered in [23], which can directly transfer the energy from the consecutive high-voltage cells to target
group $B_n$ (see Figure 1e). So, the $B_1$, $B_2$ and $B_3$ do not have to queue, and the energy is directly transferred to $B_n$, leading to a great improvement in balancing speed and the elimination of unexpected energy loss.

Furthermore, the performance of MC2MC topology will highly depend on the specific converter that used to construct the equalizer. First, after removing the unexpected energy loss caused by the topology, the conversion power and efficiency of the converter itself are important to maximize the capacity of the battery pack and to reduce the generation of heat. Second, the converter should be able to realize both step-up conversion and step-down conversion to provide flexible operation modes that cover as many situations as possible. For example, if only $B_1$ has higher voltage, and $B_{n-1}$ and $B_n$ have lower voltages, the equalizer has to transfer energy from the source group with a voltage of $V_{BS} = V_{B1}$ to the target group with voltage $V_{BT} = V_{B(n-1)} + V_{Bn}$, which means a step-up conversion is needed. We define this operation mode as one-cell-to-two-cell mode (1–2 mode) as shown in Figure 2b. Figure 2 also presents some potential operation modes including one-cell-to-one-cell mode (1–1 mode), one-cell-to-two-cell mode (1–2 mode), two-cell-to-one-cell mode (2–1 mode), two-cell-to-two-cell mode (2–2 mode), three-cell-to-one-cell mode (3–1 mode), and three-cell-to-two-cell mode (3–2 mode).

![Figure 2. Possible operation modes of a MC2MC equalizer. (a) 1–1 mode. (b) 1–2 mode. (c) 2–1 mode. (d) 2–2 mode. (e) 3–1 mode. (f) 3–2 mode.](image)

However, the half-bridge LC converter (HBLCC) in [23] may suffer from low conversion power/efficiency in some cases and cannot realize step-up conversion. To better illustrate the reason, we can start from a MC2MC equalizer based on a simple switched-capacitor converter (SCC) shown in Figure 3. First, assume that $V_{B4} = V_{B3} = V_{B2} > V_{B1}$. In each switching period, the capacitor firstly collects energy from $B_4$, $B_3$ and $B_2$ through $S_{4a}$ and $S_{1b}$ (see Figure 3a). Then, the capacitor releases its energy to $B_1$ through $S_{1a}$ and $S_{0b}$ (see Figure 3b). So, the energy is transferred from $B_4 + B_3 + B_2$ to $B_1$, realizing 3–1 mode equalization. However, if the situation is $V_{B4} = V_{B3} = V_{B2} < V_{B1}$ and $V_{B4} + V_{B3} + V_{B2} > V_{B1}$, the same operation will still transfer the energy from $B_4 + B_3 + B_2$ to $B_1$, which obviously violates the spirit of equalization. Moreover, its balancing efficiency is as low as about 33% because the conversion efficiency of SCC is strictly equal to the ratio of output voltage to input voltage [39,40], and its balancing power will decrease dramatically when the voltage gap is low. The HBLCC equalizer proposed adds an inductor (see Figure 4a) to realize zero-current switching (ZCS), which helps to reduce the switching loss and the electromagnetic interference (EMI), has a very similar operation principle and performance with the SCC based equalizer. In other words, it is still incapable of maintaining good balancing efficiency and stable power over a wide voltage gain range as well as realizing step-up conversion to cover more situations.
To improve the balancing power and enable more MC2MC MC operation modes to further accelerate the equalization, this paper proposes a novel bipolar-resonant LC converter (BRLCC) to construct an enhanced MC2MC equalizer. Compared to the HBLCC, the proposed BRLCC (see Figure 4b) introduces two extra bidirectional switches to form a symmetric switch matrix, which allows its LC resonant tank to resonant in a bipolar way and thus realize high/stable balancing power, good efficiency, and step-up conversion.

The rest of this paper is organized as follows. In Section 2, the circuit topology, operation principle, mathematical model, and mathematical analysis of the proposed equalizer are introduced. Section 3 presents simulation comparison with typical equalizers. Section 4 introduces the experimental prototype, tests its balancing performance, and verifies its high balancing speed over other equalizers. Section 5 presents a systematical discussion, and Section 6 gives a conclusion.

2. Proposed Equalizer
2.1. Circuit Structure

The proposed BRLCC (see Figure 5) has a symmetric switch matrix, a LC resonant tank, and a diode protection network. The symmetric switch matrix consists of $2N + 2$ bidirectional switches ($S_{0a} - S_{Na}$ are connected to BUS$_a$, and $S_{0b} - S_{Nb}$ are connected to BUS$_b$). The resonant tank consists of an inductor $L$, a capacitor $C$, and the total parasitic resistance $R_S$. The diode protection network consists of four free-wheeling diodes $D_1 - D_4$. 

Figure 3. Switching states of a MC2MC equalizer based on SCC. (a) Collect state. (b) Release state.

Figure 4. Circuit comparison of MC2MC equalizers. (a) The equalizer based on HBLCC [23]. (b) The proposed equalizer based on BRLCC.

Figure 5. Circuit structure of the proposed BRLCC equalizer for $N$ cells.
The resonant tank collects energy from the consecutive strong cells (source group) through the symmetric switch matrix, and then releases the energy to the consecutive weak cells (target group). Driving signals with fixed switching frequency and duty cycle are adopted to control the circuit due to its resonant nature, making a simple control possible. All switches work with ZCS, which reduces the loss and EMI of the circuit and helps to increase switching frequency and reduce circuit volume.

Different from the SCC or HBLCC equalizer shown in Figures 3 and 4a, the proposed BRLCC equalizer has 4 switching states in a switching period and will go through a startup process before it enters the steady-state. In the following subsections, we will introduce the steady-state operation, prove how the equalizer enters the steady-state, present the mathematical model, and finally illustrate how the proposed equalizer performs better than the H8LCC equalizer.

2.2. Operation Principle

Figure 6 presents the switching states along with the steady-state’s current flow of the proposed equalizer. For convenience, the battery pack is assumed to have 4 cells with $V_{B4} = V_{B3} = V_{B2} < V_{B1}$, which is arranged to illustrate the 1–3 mode equalization. The voltage of target group and source group are $V_{BS} = V_{B1}$ and $V_{BT} = V_{B4} + V_{B3} + V_{B2}$, respectively.

Figure 6. Switching states and steady-state’s current flow of the proposed equalizer at $V_{B4} = V_{B3} = V_{B2} < V_{B1}$. (a) Positive collect: state I. (b) Positive release: state II. (c) Negative collect: state III. (d) Negative release: state IV.

Figure 7 shows the equivalent input of LC resonant tank, and gives the steady-state’s waveforms. As shown in Figure 7a, the proposed equalizer has a similar equivalent input voltage $V_{in}$ with the DC2C equalizer based on LC series resonant converter (LCSRC) in [28]. Two improvements should be acknowledged. First, the symmetrical switch matrix makes it possible to set $V_{BS}$ and $V_{BT}$ as the total voltage of consecutive strong cells or weak cells, which makes MC2MC equalization possible and greatly enhances the balancing speed. Second, the abandon of bridge network reduces the number of MOSFETs in the resonant loop from 8 to 4, which reduces the total parasite resistance $R_S$ and helps to achieve a higher balancing efficiency.
Figure 7. Theoretical waveforms of the proposed equalizer at $V_{BT} \approx 3V_{BS}$. (a) Equivalent input $V_{in}$ of the LC resonant tank. (b) Steady-state’s waveforms including driving signals, inductor current $i_L$, and capacitor voltage $u_C$ of the equalizer.

Figure 7b presents the steady-state’s waveforms, showing the inductor current $i_L$ resonates and charges/discharges the capacitor voltage $u_C$ to different voltage values at the end of each switching state. Detailed descriptions are as follows.

In state I $[t_0−t_1]$: the LC tank positively collects charges from $V_{BS}$. Switches $S_{1a}$ and $S_{0b}$ are turned on with ZCS at $t = t_0$, and turned off with ZCS at $t = t_1$. Since $u_C(0)$ is lower than $V_{BS}$, $u_C$ charges from $U_C(0)$ to $U_C(1)$, and the peak value of $i_L$ is $I_p(1)$.

In state II $[t_1−t_2]$: the LC tank positively releases charges to $V_{BT}$. Switches $S_{4a}$ and $S_{1b}$ are turned on with ZCS at $t = t_1$, and turned off with ZCS at $t = t_2$. Since $U_C(1)$ is higher than $V_{BT}$, $u_C$ discharges from $U_C(1)$ to $U_C(2)$, and the peak value of $i_L$ is $I_p(2)$.

In state III $[t_2−t_3]$: the LC tank negatively collects charges from $V_{BS}$. Switches $S_{1b}$ and $S_{0a}$ are turned on with ZCS at $t = t_2$, and turned off with ZCS at $t = t_3$. Since $U_C(2)$ is negatively lower than $-V_{BS}$, $u_C$ charges from $U_C(2)$ to $U_C(3)$, and the peak value of $i_L$ is $I_p(3)$.

In state IV $[t_3−t_4]$: the LC tank negatively releases charges to $V_{BT}$. Switches $S_{4b}$ and $S_{1a}$ are turned on with ZCS at $t = t_3$, and turned off with ZCS at $t = t_4$. Since $U_C(3)$ is negatively higher than $-V_{BT}$, $u_C$ discharges from $U_C(3)$ to $U_C(4)$, and the peak value of $i_L$ is $I_p(4)$.

2.3. Mathematical Model

After knowing the operation principle, the question may be what the values of $U_C(0)$ to $U_C(4)$ are, and why can we get them. To get the answer, we should first calculate the $u_C$ and $i_L$ according to the following differential equation:

$$\begin{align*}
\begin{cases}
L \frac{d i_L(t)}{dt} + i_L(t)R_S + u_C(t) = V_{in}, \\
i_L(t) = \frac{d u_C(t)}{dt}
\end{cases}
\end{align*}$$

(1)

where $L$ is the inductance, $C$ is the capacitance, $R_S$ is the total parasitic resistance.

During every state $[t_i−t_{i+1}]$ ($i = 0, 1, 2, 3$), the initial condition is that $u_C = u_C(t_i)$ and $i_L = 0$. If $R_S$ satisfies $R_S < 2\sqrt{L/C}$, then the differential Equation (1) can be solved as:

$$u_C(t) = V_{in} + (u_C(t_i) - V_{in}) \times e^{-\rho \cos \omega_n (t-t_i)} \times \left[ \cos \left( \omega_n \sqrt{1-\rho^2} (t-t_i) \right) + \frac{\rho}{\sqrt{1-\rho^2}} \sin \left( \omega_n \sqrt{1-\rho^2} (t-t_i) \right) \right],$$

(2)

$$i_L(t) = \frac{(V_{in} - u_C(t_i))}{Z_r \times \sqrt{1-\rho^2}} \times e^{-\rho \cos \omega_n (t-t_i)} \times \sin \left( \omega_n \times \sqrt{1-\rho^2} \times (t-t_i) \right),$$

(3)

where $Z_r = \sqrt{L/C}$, $\rho = R_S/2Z_r$, $\omega_n = 1/\sqrt{LC}$.

Each state ends when $i_L$ reaches zero at $t = t_{i+1}$, and the duration of the state is:

$$\Delta t = t_{i+1} - t_i = \frac{\pi}{\omega_n \times \sqrt{1-\rho^2}} \approx \pi \sqrt{LC}.$$
Then the terminal $u_C$ of each state can be calculated as:

$$u_C(t_{i+1}) = V_{in} + (V_{in} - u_C(t_i)) \times e^{-\frac{\rho \pi}{\sqrt{1 - \rho^2}}} = V_{in} + \lambda \times (V_{in} - u_C(t_i)), \quad (5)$$

where $\lambda \in (0, 1)$ is a factor negatively correlated with $\rho$ and $R_s$, and positively correlated with $Z_r$:

$$\lambda = \exp\left(-\frac{\rho \pi}{\sqrt{1 - \rho^2}}\right) = \exp\left(-\frac{R_s \pi}{\sqrt{4Z_r^2 - R_s^2}}\right) \in (0, 1). \quad (6)$$

To calculate the specific value of $U_C(0)$ to $U_C(4)$, $V_{in}$ in (4) can be substituted with $U_S$, $U_T$, $-U_S$, and $-U_T$ respectively for state I–IV to calculate $U_C(1)$ upon $U_C(0)$, calculate $U_C(2)$ upon $U_C(1)$, calculate $U_C(3)$ upon $U_C(2)$, and calculate $U_C(4)$ upon $U_C(3)$:

$$\begin{cases} 
U_C(1) = V_{BS} + \lambda (V_{BS} - U_C(0)) \\
U_C(2) = V_{BT} + \lambda (V_{BT} - U_C(1)) \\
U_C(3) = -V_{BS} + \lambda (-V_{BS} - U_C(2)) \\
U_C(4) = -V_{BT} + \lambda (-V_{BT} - U_C(3)) 
\end{cases} \quad (7)$$

It also should be noticed that $U_C(0) = U_C(4)$ in the steady-state, so the terminal capacitor voltage and peak inductor current in each state can be calculated as:

$$\begin{bmatrix} U_C(0) \\ U_C(1) \end{bmatrix} = -\begin{bmatrix} U_C(2) \\ U_C(3) \end{bmatrix} = \begin{bmatrix} \lambda V_{BS} - V_{BT} \\ V_{BS} + \lambda V_{BT} \end{bmatrix} \times \frac{1 + \lambda}{1 + \lambda^2}, \quad (8)$$

$$\begin{bmatrix} I_p(1) \\ I_p(2) \end{bmatrix} = -\begin{bmatrix} I_p(3) \\ I_p(4) \end{bmatrix} = \begin{bmatrix} V_{BS} - U_C(0) \\ V_{BT} - U_C(1) \end{bmatrix} \times \frac{\sqrt{\lambda}}{Z_r \sqrt{1 - \rho^2}}. \quad (9)$$

To prove that the equalizer will converge to this steady-state after startup, we can assume that $u_C(t_0) \neq U_C(0)$ at the beginning, and the initial voltage error is defined as:

$$\Delta V(t_0) = u_C(t_0) - U_C(0). \quad (10)$$

Then, in the end of state I, the $u_C$ will change to $u_C(t_1)$ according to (5):

$$u_C(t_1) = V_{BS} + \lambda \times (V_{BS} - U_C(0) - \Delta V(t_0)). \quad (11)$$

While in the steady-state we have:

$$U_C(1) = V_{BS} + \lambda \times (V_{BS} - U_C(0)). \quad (12)$$

By putting (12) into (11), we can get:

$$u_C(t_1) = U_C(1) - \lambda \times \Delta V(t_0), \quad (13)$$

which shows that the voltage error at $t = t_1$ is reduced by multiplying $\lambda \in (0, 1)$.

In the end of state II, III, and IV, we can similarly get:

$$u_C(t_2) = U_C(2) + \lambda^2 \times \Delta V(t_0), \quad (14)$$

$$u_C(t_3) = U_C(3) - \lambda^3 \times \Delta V(t_0), \quad (15)$$

$$u_C(t_4) = U_C(4) + \lambda^4 \times \Delta V(t_0). \quad (16)$$
Formulas (13)–(16) reveal that the absolute value of voltage error decays exponentially as:

\[
|\Delta V(t)| = |\Delta V(t_0)| \times \exp\left(-\frac{\rho \pi}{\sqrt{1 - \rho^2}} \times \frac{t - t_0}{\omega_n \sqrt{1 - \rho^2}}\right) = |\Delta V(t_0)| \times \exp\left(-\frac{t - t_0}{2\tau}\right) = |\Delta V(t_0)| \times \exp\left(-\frac{t - t_0}{\tau}\right). \tag{17}
\]

For example, when \(L = 10 \, \mu\text{H}\) and \(R_s = 0.2 \, \Omega\), the time constant will be \(\tau = 0.0001 \, \text{s}\), which confirms that the equalizer will rapidly and automatically converge to the steady-state shown in Figure 7b, and we will certainly get the needed \(U_C(0) - U_C(4)\) to realize step-up conversion. This behavior is done by the bipolar resonant of the LC tank, and is quite different from that of the SCC or HBLCC equalizer.

Overall, the proposed equalizer will discharge the source group in state I/III. Meanwhile, the capacitor will collect the charge and let \(u_C\) rise from \(U_C(0)\) to \(U_C(1)\) or negatively rise from \(U_C(2)\) to \(U_C(3)\). According to (8), it is obvious that \(U_C(1) - U_C(0)\) equals to \(U_C(2) - U_C(3)\). According to (4), the total duration of a switching period is \(4\Delta t\), so the average balancing power emitted by the source group can be calculated as:

\[
P_S = V_{BS} \times \frac{2C(U_C(1) - U_C(0))}{4\Delta t} = \frac{V_{BS} \sqrt{1 - \rho^2}}{2\pi Z_r} \times \frac{(1 - \lambda^2)V_{BS} + (1 + \lambda)^2 V_{BT}}{1 + \lambda^2}. \tag{18}
\]

Similarly, the proposed equalizer will charge the target group in state II/IV. The capacitor will release the charge and let \(u_C\) fall from \(U_C(1)\) to \(U_C(2)\) or negatively fall from \(U_C(3)\) to \(U_C(4)\). So, the balancing power received by the target group is:

\[
P_T = V_{BT} \times \frac{2C(U_C(1) - U_C(2))}{4\Delta t} = \frac{V_{BT} \sqrt{1 - \rho^2}}{2\pi Z_r} \times \frac{(1 + \lambda)^2 V_{BS} - (1 - \lambda^2)V_{BT}}{1 + \lambda^2}. \tag{19}
\]

The balancing efficiency can be calculated as:

\[
\eta_{BRLCC} = \frac{P_T}{P_S} = \frac{\frac{V_{BT}}{V_{BS}} \times \left((1 + \lambda)V_{BS} - (1 - \lambda)V_{BT}\right)}{\left((1 - \lambda)V_{BS} + (1 + \lambda)V_{BT}\right)}. \tag{20}
\]

As can be seen from (19) and (20), 1–3 mode equalization is realized and the energy is transferred from the source group \(B_1\) to the target group \(B_4 + B_3 + B_2\). If we want the energy to be transferred from \(B_4 + B_3 + B_2\) to \(B_1\), we just need to exchange the source group and the target group. Furthermore, the source group and target group can both be any consecutive battery cells. Therefore, all MC2MC operation modes are now supported by the proposed BRLCC equalizer.

As can be seen from (20), the balancing efficiency is no longer as low as \(V_{BT}/V_{BS}\) but is also related to \(\lambda\), which is positively correlated with \(Z_r\) and negatively correlated with \(R_s\). Figure 8 presents the balancing efficiency surface and power surface obtained from (20) and (19) as a function of \(Z_r\) and \(R_s\). It is assumed that \(V_{BS} = 4 \, \text{V}\) and \(V_{BT} = 3.9 \, \text{V}\) because the 1–1 mode is the most basic operation mode among all MC2MC modes. It can be observed that, \(R_s\) should be as small as possible to achieve high efficiency or high power because it consumes energy. After \(R_s\) is determined at a small enough value such as 0.2 \(\Omega\), a larger \(Z_r\) will lead a higher efficiency (see Figure 8a), and a smaller \(Z_r\) will lead to higher balancing power (see Figure 8b). This allows us to adjust conversion efficiency and power by setting different \(Z_r\). In this paper, we set \(Z_r = \sqrt{10}\) under the assumption of \(R_s = 0.2 \, \Omega\) to provide an efficiency of about 90% and power of about 1.5 W in 1–1 mode.
Figure 8. The influence of $Z_r$ and $R_s$ on balancing efficiency and power of the proposed equalizer at $V_{BS} = 4$ V and $V_{BT} = 3.9$ V. (a) Efficiency surface. (b) Power surface.

2.4. Comparative Analysis

For the MC2MC equalizer based on HBLCC in [23], when ignoring the switching loss, the balancing efficiency and power are given as:

$$\eta_{HBLCC} = \frac{V_{BT}}{V_{BS}}$$  \hspace{1cm} (21)

$$P_{HBLCC} \approx V_{BT} \times \frac{2(V_{BS} - V_{BT})}{\pi^2 \times R_S}.$$  \hspace{1cm} (22)

Figure 9 compares the balancing efficiency and balancing power of the proposed BRLCC equalizer and the HBLCC equalizer in various MC2MC operation modes. For convenience, we assume $V_{BS} = 4$, 8, 12 V and 16 V to illustrate the 1–$X$, 2–$X$, 3–$X$, 4–$X$ mode respectively, where $X$ is the number of target cells. The curves are based on (19)–(22), and are verified by simulation models built in PSIM (Power Simulation) 9.1.4.

Figure 9a compares the balancing efficiency. When the source group contains one cell and $V_{BS} = 4$ V, the proposed BRLCC equalizer can realize 1–1, 1–2, 1–3, and 1–4 operations mode, while the HBLCC equalizer can only realize 1–1 operation mode. Moreover, the efficiency of HBLCC drops rapidly when the voltage gap between $V_{BT}$ and $V_{BS}$ becomes large. When $V_{BS} = 8$ V, the HBLCC equalizer can realize two operations modes, but the efficiency of 2–1 mode is as low as 50%. When $V_{BS} = 12$ V, the HBLCC equalizer can realize three operations modes, but the efficiencies of 3–1 and 3–2 mode are as low as 33% and 66%, respectively. When $V_{BS} = 16$ V, the HBLCC equalizer can realize four operations modes, but the efficiencies of 4–1, 4–2, and 4–3 modes are low as 25%, 50%, and 75%, respectively. In comparison, the proposed BRLCC equalizer can support all operation modes of MC2MC equalization, and the efficiencies are maintained at a high level.

Figure 9b then compares the balancing power. When $V_{BS} = 4$ V, the power of HBLCC drops quickly to zero around $V_{BT} = 4$ V, which means its balancing speed will be very slow when the voltage gap is small. In comparison, BRLCC not only supports 1–1, 1–2, 1–3 and 1–4 modes, but also keep a relatively stable and high balancing power within each mode’s voltage range. Similar phenomenon can also be observed at $V_{BS} = 8$ V, 12 V and 16 V. Considering Figure 9a,b together, it can be noticed that the HBLCC always have very low balancing power when the efficiency is high, while the BRLCC can realize good balancing power with balancing efficiency higher than 80%. Overall, the proposed BRLCC equalizer can achieve higher and more stable balancing power than the HBLCC equalizer.
Figure 9. Balancing efficiency and power comparison of the proposed BRLCC equalizer with HBLCC equalizer in different operation modes. (a) Balancing efficiency. (b) Balancing power.
3. Simulation Comparison with Conventional Equalizers

In this section, we use simulation to quantitatively compare the proposed MC2MC equalizer based on BRLCC with three typical equalizers: the AC2C equalizer based on quasi-resonant switched-capacitor converter (QRSSC) [24], the DC2C equalizer based on LCSRC [28], and the MC2MC equalizer based on HBLCC [23].

Figure 10 presents these equalizers for eight cells. These simulation models are built in PSIM 9.1.4, and they have the same circuit parameters of $L = 10 \, \mu H$, $C = 1 \, \mu F$. The parasitic resistance of LC tank is set as $0.16 \, \Omega$, and each MOSFET is assumed to be ideal with $R_{\text{ds(on)}} = 0.01 \, \Omega$. So the total $R_S$ of these equalizers are $0.18 \, \Omega$, $0.24 \, \Omega$, $0.2 \, \Omega$, and $0.2 \, \Omega$, respectively. Eight capacitors are used to simulate the batteries [3, 24], and their capacitances are set as 0.01 F to reduce the simulation time.

Figure 11 presents the control flowcharts for these simulation models. The equalization will stop after the maximum voltage difference of the cells (which equals to $V_{BH} - V_{BL}$) is less than 0.01 V. Figure 11a shows the AC2C equalizer based on QRSSC is simple as it realizes automatic equalization. Figure 11b shows the DC2C and MC2MC equalizers have the same control flowchart, and the only difference is that when selecting the source group and target group, the DC2C equalizer can only choose a single strongest/weakest cell, while the MC2MC equalizers can select consecutive strong/weak cells. Moreover, as analyzed in former section, the proposed BRLCC equalizer can achieve even more MC2MC modes than the HBLCC equalizer because step-up conversion can be realized. To achieve an acceptable balancing efficiency of over 85% in the simulation, the MC2MC equalizer based on HBLCC is only enabled with 1–1, 2–2, 3–3 operation modes, while the proposed MC2MC equalizer based on BRLCC is enabled with 1–1, 1–2, 1–3, 2–1, 2–2, 2–3, 3–1, 3–2, 3–3 operation modes.
Figure 11. Control algorithms of the simulation models. (a) QRSCC equalizer. (b) The other three equalizers.

Figure 12a,c,e,g present the simulation results for the equalizers with initial voltage #1 of $V_{B1} = 3.50 \text{ V}$, $V_{B2} = 3.48 \text{ V}$, $V_{B3} = 3.46 \text{ V}$, $V_{B4} = 3.44 \text{ V}$, $V_{B5} = 3.42 \text{ V}$, $V_{B6} = 3.40 \text{ V}$, $V_{B7} = 3.10 \text{ V}$, and $V_{B8} = 3.00 \text{ V}$. This initial voltage distribution is arranged to simulate the near-empty situation where $B_7$ and $B_8$ need urgent charge. In Figure 12a, the QRSCC equalizer takes the longest time of 0.22481 s to realize equalization. This phenomenon is caused by two reasons. First, its AC2C structure cannot transfer energy directly. Second, its balancing power decreases rapidly at small voltage gap. In Figure 12c, the LCSRC equalizer is much faster with a balancing time of 0.01796 s. It not only transfers the energy directly, but also maintains almost stable balancing power in the whole equalization process. In Figure 12e, the HBLCC equalizer realizes fast equalization at the beginning due to its MC2MC topology. Its maximum voltage differences at 0.005 s and 0.01 s are 166 mV and 86 mV respectively, which is much smaller than the 297 mV and 182 mV of LCSRC equalizer. However, its equalization time of 0.02978 s is not the shortest because its balancing power decreases rapidly in the later stage of the balancing process. In Figure 12g, the proposed BRLCC equalizer realizes fastest equalization within 0.00962 s. It inherits the fast speed of MC2MC topology and maintains high balancing power during the whole balancing process.

Figure 12b,d,f,h present the simulation results with initial voltage #2 of $V_{B1} = 4.20 \text{ V}$, $V_{B2} = 3.82 \text{ V}$, $V_{B3} = 3.80 \text{ V}$, $V_{B4} = 4.00 \text{ V}$, $V_{B5} = 3.76 \text{ V}$, $V_{B6} = 3.74 \text{ V}$, $V_{B7} = 3.72 \text{ V}$, and $V_{B8} = 3.70 \text{ V}$. This initial voltage distribution is arranged to simulate the near-full situation where $B_1$ and $B_4$ need urgent discharge. In Figure 12b, the QRSCC equalizer takes the longest time of 0.20976 s to realize equalization. In Figure 12d, the LCSRC equalizer is still good and consumes 0.01264 s. In Figure 12f, the HBLCC equalizer degenerates into a conventional DC2C equalizer since it is incapable of realizing step-up modes. Therefore, it consumes a much longer time of 0.04989 s. In Figure 12h, the proposed equalizer takes the shortest time of 0.00767 s, which is due to its support for more kinds of MC2MC operation modes.

Figure 12. Cont.
Figure 12. Voltage trajectories of different equalizers with initial voltages #1 and #2. (a,b) AC2C equalizer based on QRSCC. (c,d) DC2C equalizer based on LCSRC. (e,f) MC2MC equalizer based on HBLCC. (g,h) Proposed MC2MC equalizer based on BRLCC.

Table 1 compares the balancing time and total energy transfer efficiency in simulation. In initial voltage #1, the balancing speed of the proposed equalizer is about 33 times of the QRSCC equalizer, 2.6 times of the LCSRC equalizer, and 4 times of the HBLCC equalizer. In initial voltage #2, the balancing speed of the proposed equalizer is about 27 times of the QRSCC equalizer, 1.6 times of the LCSRC equalizer, and 6 times of the existing HBLCC equalizer. The total energy transfer efficiencies of the proposed equalizer are 89.15% and 86.86%, which are similar to the LCSRC equalizer but slightly lower than the other two equalizers. It should be noted that this slight decrease in efficiency is reasonable because when the balancing current increases, the ohmic loss ($I_{\text{RMS}}^2R_s$) will increase faster than the average balancing power ($I_{\text{average}}V_{BT}$). Considering that the increase in balancing speed is much more significant than the decrease in balancing efficiency, such trade-off is worthwhile.
Table 1. Simulation comparison of different equalizers with initial voltages #1 and #2.

<table>
<thead>
<tr>
<th>Equalizer</th>
<th>Initial Voltage #1</th>
<th>Initial Voltage #2</th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td>Time</td>
<td>Efficiency</td>
</tr>
<tr>
<td>AC2C based on QRSCC [24]</td>
<td>0.22481 s</td>
<td>93.36%</td>
</tr>
<tr>
<td>DC2C based on LCSRC [28]</td>
<td>0.01796 s</td>
<td>88.32%</td>
</tr>
<tr>
<td>MC2MC based on HBLCC [23]</td>
<td>0.02978 s</td>
<td>93.46%</td>
</tr>
<tr>
<td>Proposed MC2MC based on BRLCC</td>
<td>0.00681 s</td>
<td>89.15%</td>
</tr>
</tbody>
</table>

4. Experimental Results

Figure 13 shows the experimental prototype for 8 cells. The equalizer is composed of two boards (see Figure 13a), and each board can be connected to 4 cells (see Figure 13b). A DSP (TMS320F28335) controller is used to realize the MC2MC control, and it drives the equalizer through the driver boards. Table 2 presents the parameters of the prototype. The inductance/capacitance and equivalent series resistance (ESR) of the inductor and capacitor are measured by a Tonghui TH2832 LCR meter with accuracy of 0.05%. The internal resistances of the 18650 lithium-ion batteries are measured at about $R_0 \approx 50 \, \text{m} \Omega$ by a YAOREA YR1035+ battery internal resistance analyzer with accuracy of 0.5% ± 0.5 mΩ, and will slightly change with the state of charge (SOC) of the battery [16]. The $R_{DS(on)}$ of each IRF7351 MOSFET is less than 17.8 mΩ. So the total parasitic resistance can be approximated as $R_S \approx (72.92 + 13.77 + 17.8 \times 4 + 49.5) \, \text{m} \Omega \approx 207.39 \, \text{m} \Omega \approx 0.2 \, \Omega$. The prototype also serves as a QRSCC equalizer or a HBLCC equalizer to produce the comparative data.

![Figure 13. Experimental prototype of the proposed BRLCC equalizer. (a) Platform. (b) A single board.](image)

Table 2. Parameters of the experimental prototype.

<table>
<thead>
<tr>
<th>Components</th>
<th>Value</th>
</tr>
</thead>
<tbody>
<tr>
<td>Resonant tank</td>
<td>$L = 9.53 , \mu \text{H}, \text{ESR}_L = 72.92 , \text{m} \Omega$</td>
</tr>
<tr>
<td>Capacitor</td>
<td>$C = 1.04 , \mu \text{F}, \text{ESR}_C = 13.77 , \text{m} \Omega$</td>
</tr>
<tr>
<td>Switch matrix</td>
<td>IRF7351TRPBF (Infineon, Ltd., Munich, Germany), $R_{DS(on)} &lt; 17.8 , \text{m} \Omega$</td>
</tr>
<tr>
<td>MOSFET</td>
<td>1EDI20N12AFXUMA1 (Infineon, Ltd., Munich, Germany)</td>
</tr>
<tr>
<td>Driver board</td>
<td>MBRS3200T3G (ON Semiconductor, Ltd., Phoenix, AZ, USA)</td>
</tr>
<tr>
<td>Diode</td>
<td>ICR18650-22F (Samsung SDI Co., Ltd., Yongin, Korea), $R_0 \approx 50 , \text{m} \Omega$</td>
</tr>
</tbody>
</table>

Figure 14 shows the experimental waveforms along with the simulated waveforms in different operation modes of the prototype. Figure 14a shows the inductor current $i_L$ is almost sinusoidal in each switching state and drops to zero during switching the states, which realizes ZCS and leads to a very clean current waveform without high frequency oscillation. The black simulated waveforms are in good agreement with the colored oscilloscope waveforms. The energy is transferred from the source group to the LC resonant tank in state I and III, and then transferred to the target group in state II and IV.
Table 3 compares the measured data with theoretical values to prove the correctness of mathematical analysis. The voltages are measured by a Neware CT4008 battery testing system with accuracy of 2.5 mV for single cell, and $V_{BS}$ and $V_{BT}$ are sums of the battery voltages. The currents $I_p(1)$ and $I_p(2)$ are measured by a CYBERTEK CP8030H current probe with accuracy of 1% ± 1 mA. In 1–1 mode, when $V_{BS} = 3.818$ V and $V_{BT} = 3.929$ V, the balancing power is measured at about 1.43W with efficiency of 91.65%, which is close to the theoretical value of 90.52%. In 1–3 mode, the measured power is almost tripled to 3.83 W with an efficiency of 84.84%. In 3–1 mode, the measured power is 4.45 W with efficiency of 88.80%, which is much higher than the 33% efficiency of the HBLCC equalizer. These results prove that, the proposed equalizer can achieve step-up modes, and its balancing efficiency is no longer inversely proportional to the voltage gain.

Table 3. Experimental data of the proposed equalizer in different operation modes.

<table>
<thead>
<tr>
<th>Operation Mode</th>
<th>$V_{BS}$ (V)</th>
<th>$V_{BT}$ (V)</th>
<th>$I_p(1)$ (A)</th>
<th>$I_p(2)$ (A)</th>
<th>$P_S$ (W)</th>
<th>$P_T$ (W)</th>
<th>$\eta$ (%)</th>
<th>Exp.</th>
<th>Model</th>
<th>Error</th>
</tr>
</thead>
<tbody>
<tr>
<td>1–1</td>
<td>3.818</td>
<td>3.929</td>
<td>1.28</td>
<td>1.14</td>
<td>1.556</td>
<td>1.426</td>
<td>91.65</td>
<td>90.52</td>
<td>1.13</td>
<td></td>
</tr>
<tr>
<td>1–2</td>
<td>3.830</td>
<td>7.863</td>
<td>2.48</td>
<td>1.06</td>
<td>3.023</td>
<td>2.653</td>
<td>87.75</td>
<td>87.68</td>
<td>0.06</td>
<td></td>
</tr>
<tr>
<td>1–3</td>
<td>3.857</td>
<td>11.806</td>
<td>3.68</td>
<td>1.02</td>
<td>4.518</td>
<td>3.833</td>
<td>84.84</td>
<td>85.45</td>
<td>0.61</td>
<td></td>
</tr>
<tr>
<td>2–1</td>
<td>7.689</td>
<td>4.001</td>
<td>1.32</td>
<td>2.28</td>
<td>3.231</td>
<td>2.904</td>
<td>89.88</td>
<td>88.93</td>
<td>0.95</td>
<td></td>
</tr>
<tr>
<td>2–2</td>
<td>7.780</td>
<td>7.897</td>
<td>2.48</td>
<td>2.24</td>
<td>6.142</td>
<td>5.631</td>
<td>91.68</td>
<td>91.93</td>
<td>1.15</td>
<td></td>
</tr>
<tr>
<td>2–3</td>
<td>7.380</td>
<td>12.019</td>
<td>4.08</td>
<td>2.16</td>
<td>9.584</td>
<td>8.264</td>
<td>86.22</td>
<td>89.19</td>
<td>−2.97</td>
<td></td>
</tr>
<tr>
<td>3–1</td>
<td>11.576</td>
<td>4.064</td>
<td>1.36</td>
<td>3.44</td>
<td>5.011</td>
<td>4.450</td>
<td>88.80</td>
<td>86.08</td>
<td>2.72</td>
<td></td>
</tr>
<tr>
<td>3–2</td>
<td>11.090</td>
<td>8.099</td>
<td>2.86</td>
<td>3.42</td>
<td>10.096</td>
<td>8.817</td>
<td>87.33</td>
<td>90.24</td>
<td>−2.91</td>
<td></td>
</tr>
<tr>
<td>3–3</td>
<td>11.014</td>
<td>12.103</td>
<td>4.06</td>
<td>3.26</td>
<td>14.234</td>
<td>12.559</td>
<td>88.23</td>
<td>90.46</td>
<td>−2.22</td>
<td></td>
</tr>
</tbody>
</table>
Figure 15 presents the equalization experiments for eight cells with initial voltage #1 and #2. The voltages curves are cyclical because the equalizers need to rest for 10 s after balancing for 20 s [23]. In initial voltage #1, Figure 15a shows the LCSRC equalizer takes about 87 min to realize equalization. Figure 15c shows the HBLCC equalizer is faster than the LCSRC equalizer at the beginning but slows down when the voltage gaps become small. Figure 15e shows the proposed equalizer realizes the fastest equalization within 47 min. In initial voltage #2, similar phenomenon can be observed. And it should be noticed that in Figure 15d, the HBLCC equalizer degenerates into a DC2C type and shows a much slower balancing speed because it does not support the step-up modes as the proposed equalizer does. Figure 15f shows that the proposed equalizer still realizes the fastest equalization within 153 min. These experiments verify that the proposed BRLCC equalizer can save at least 46% or 38% time compared with other equalizers.

Figure 15. Experimental voltage trajectories of different equalizers with initial voltage #1 and #2. (a,b) DC2C equalizer based on LCSRC. (c,d) MC2MC equalizer based on HBLCC. (e,f) Proposed MC2MC equalizer based on BRLCC.
5. Discussion

To systematically evaluate the proposed equalizer, Tables 4 and 5 compares it with conventional equalizers in terms of topology, component, cost, balancing speed (P1), balancing efficiency (P2), soft switching (P3), implementation complexity (P4), and the reliability (P5). Table 4 presents the expressions of needed components for \( n \) cells/modules, and Table 5 gives a comprehensive comparison under the assumption that the battery pack has 96 series connected cells and is divided into 12 battery modules [23]. Each module-level equalizer manages eight cells, and the pack-level equalizer manages twelve modules. We can take the proposed equalizer as an example: each module-level BRLCC equalizer needs \( 4 \times (8 + 1) = 36 \) MSs, and the pack-level BRLCC equalizer needs \( 4 \times (12 + 1) = 52 \) MSs, so the total number is \( 36 \times 12 + 52 = 484 \). The component prices per unit is approximated as: MS (MOSFET) ($0.2), DR (MOSFET Driver IC) ($0.8), L (Inductor) ($0.6), C (Capacitor) ($0.2), D (Diode) ($0.15) [33].

Table 4. Component comparison of equalizers for \( n \) cells/modules.

<table>
<thead>
<tr>
<th>Equalizer Type</th>
<th>Component</th>
<th>MS</th>
<th>DR</th>
<th>L</th>
<th>C</th>
<th>D</th>
</tr>
</thead>
<tbody>
<tr>
<td>QRSCC [24] AC2C</td>
<td>2n</td>
<td>2n</td>
<td>( n - 1 )</td>
<td>( n - 1 )</td>
<td>0</td>
<td></td>
</tr>
<tr>
<td>TRSCC [25] AC2C</td>
<td>4(n - 1)</td>
<td>4(n - 1)</td>
<td>( n - 1 )</td>
<td>( n - 1 )</td>
<td>0</td>
<td></td>
</tr>
<tr>
<td>CI [26] AC2C</td>
<td>4(n - 1)</td>
<td>4(n - 1)</td>
<td>( n - 1 )</td>
<td>0</td>
<td>0</td>
<td></td>
</tr>
<tr>
<td>LCSRC [28] DC2C</td>
<td>2n + 10</td>
<td>( n + 5 )</td>
<td>1</td>
<td>1</td>
<td>4</td>
<td></td>
</tr>
<tr>
<td>HBLCC [23] MC2MC</td>
<td>4n</td>
<td>2n</td>
<td>1</td>
<td>1</td>
<td>4</td>
<td></td>
</tr>
<tr>
<td>Proposed MC2MC</td>
<td>4(n + 1)</td>
<td>2(n + 1)</td>
<td>1</td>
<td>1</td>
<td>4</td>
<td></td>
</tr>
</tbody>
</table>

Table 5. Systematic comparison example for a 96 cells battery pack composed of 12 modules.

<table>
<thead>
<tr>
<th>Equalizer Type</th>
<th>Component</th>
<th>Cost ($)</th>
<th>P1</th>
<th>P2</th>
<th>P3</th>
<th>P4</th>
<th>P5</th>
</tr>
</thead>
<tbody>
<tr>
<td>QRSCC [24] AC2C</td>
<td>216</td>
<td>216</td>
<td>95</td>
<td>95</td>
<td>0</td>
<td>292.0</td>
<td>+</td>
</tr>
<tr>
<td>TRSCC [25] AC2C</td>
<td>380</td>
<td>380</td>
<td>95</td>
<td>95</td>
<td>0</td>
<td>456.0</td>
<td>++</td>
</tr>
<tr>
<td>CI [26] AC2C</td>
<td>380</td>
<td>380</td>
<td>190</td>
<td>0</td>
<td>0</td>
<td>494.0</td>
<td>+++</td>
</tr>
<tr>
<td>LCSRC [28] DC2C</td>
<td>346</td>
<td>173</td>
<td>13</td>
<td>13</td>
<td>52</td>
<td>225.8</td>
<td>+++</td>
</tr>
<tr>
<td>HBLCC [23] MC2MC</td>
<td>432</td>
<td>216</td>
<td>13</td>
<td>13</td>
<td>52</td>
<td>277.4</td>
<td>+++</td>
</tr>
<tr>
<td>Proposed MC2MC</td>
<td>484</td>
<td>242</td>
<td>13</td>
<td>13</td>
<td>52</td>
<td>308.6</td>
<td>++++</td>
</tr>
</tbody>
</table>

Average | 373 | 268 | 70 | 38 | 26 | 342.3 | - | - | - | - | - |

P1 (Speed); P2 (Efficiency); P3 (Soft switching); P4 (Complexity); P5 (Reliability); + (Poor); ++ (Medium); +++ (Good); ++++ (Excellent); - (Not applicable).

5.1. AC2C Equalizer

The AC2C resonant switched capacitor converter (RSCC) based method in [24] can realizes automatic equalization with only a pair of complementary control signals, which means an excellent reliability. It also works with ZCS and thus avoids the EMI, which can be easily picked up by the long wires in the BMS and affects the stable operation of analog-to-digital converter (ADC) and serial peripheral interface (SPI) of the BMS front-end ICs [41]. However, its balancing speed is strongly affected by the parasitic resistance \( R_S \), the voltage gap of \( V_{BS} - V_{BT} \) according to (22), and the distance between the source cell to the weak cell. Its balancing efficiency is determined as \( V_{BS}/V_{BT} \) according to (21), which can be low if the voltage gap is large.

The AC2C three-resonant-state switched capacitor converter (TRSCC) based method in [25] uses an additional resonant path to increase the balancing speed at small voltage gap and improves the balancing efficiency at large voltage gap. However, during the extra release state when the resonant LC tank is short-circuited, no energy is transmitted from the source cell to or the target cell. In other words, the cells have to wait for the release state
so that the average balancing current is reduced. Its total efficiency drops exponentially when the source cell is far away from the target cell. Besides, automatic equalization cannot be realized in this method, so the reliability is reduced.

The AC2C automatic buck-boost converter based method in [26] uses coupled inductor (CI) to realize flux compensation, which greatly increases the current capabilities and reduces the need of magnetic coil and filter capacitance. However, the balancing efficiency will still be low if the energy has to be transferred through multiple cells. Unlike the RSCC or TRSCC method, it needs a precise 0.5 duty cycle to realize automatic equalization and has high frequency oscillation in current waveforms that may cause unexpected EMI and reduce the overall reliability of the BMS.

5.2. DC2C Equalizer

The DC2C LC series resonant circuit (LCSRC) based method in [28] uses a LC resonant tank, a cell access network and a bridge network to directly transfer the energy from the source cell to the target cell. It overcomes the problem of low speed at small voltage gap in RSCC, the low average balancing current of TRSCC, and the hard-switching problem of buck-boost converter. It also has fewer DRs because the two MOSFETs in a bidirectional switch can share a driver IC. However, there are 8 MOSFETs in the resonant loop, which increases the parasite resistance $R_s$ and reduces the balancing efficiency. It also requires complex initializing circuit for the gate driver in the bridge network, and the reliability is moderate.

5.3. MC2MC Equalizer

The MC2MC half bridge LC converter (HBLCC) based method in [23] introduces the concept of MC2MC control, which can directly transfer the energy from consecutive strong cells to consecutive weak cells and greatly accelerates the balancing speed in some voltage distributions. However, as analyzed in this paper, the step-up operation modes cannot be realized, and there is a dilemma between balancing efficiency and power as shown in Figure 9.

The proposed bipolar-resonant LC converter (BRLCC) based equalizer uses a LC resonant tank along with a symmetrical switch matrix to realize MC2MC control. It not only solves the high $R_s$ problem of the LCSRC equalizer, but also supports more MC2MC operation modes than the HBLCC equalizer and guarantees a higher and more stable balancing power without seriously sacrificing the balancing efficiency. Since ZCS is maintained, its size and EMI can be reduced. Overall, as an extension of the works in [23–25,28], the proposed equalizer offers excellent balancing speed and good efficiency with moderate cost, control complexity and reliability.

6. Conclusions

In order to improve the active equalizers’ balancing speed and efficiency to face new challenge brought by retired batteries, this paper proposes a novel BRLCC for the MC2MC topology. The BRLCC uses the bipolar resonance of the LC resonant tank to deliver energy and overcomes three main problems of existing SCC and HBLCC. The circuit structure, operation principle, mathematical model and comparison are presented to show the following enhancements on MC2MC topology.

1. Step-up MC2MC operation modes like 1–2, 1–3, 2–3 modes are realized with good efficiency.
2. Step-down modes like 2–1, 3–1, 3–2 modes can have higher efficiency.
3. Stable balancing power is guaranteed at small voltage gap.

The simulation comparisons show that, the balancing speed of the proposed BRLCC equalizer is about 30 times of the QRSCC equalizer and 5 times of the HBLCC equalizer. This huge improvement is achieved by only sacrificing about 5–8% of efficiency, and the total efficiency is still maintained at a high level of over than 86%. Compared to the LCSRC
equalizer, the BRLCC equalizer almost doubled the balancing speed without sacrificing the efficiency. This is because the BRLCC has four less MOSFETs in the resonant loop.

An experimental prototype for 8 lithium-ion battery cells has also been tested at 9 kinds of operation modes with balancing powers from 1.426 W to 12.559 W and balancing efficiencies from 84.84% to 91.68%. The experimental comparison verifies the feasibility and fast speed of the proposed equalizer, showing it is much faster than the HBLCC equalizer, and is about 60–80% faster than the LCSRC equalizer.

Systematical comparison with typical equalizers also shows that the BRLCC only need moderate components, cost, and has moderate control complexity and reliability. It also inherits the merits of ZCS and low EMI from the resonant converter.

Overall, this paper focus on improving the balancing speed without much sacrificing the efficiency, and the proposed equalizer has achieved huge improvement in this aspect. Therefore, it is suitable for equalizing batteries with serious inconsistency, such as the retired batteries. If a very high reliability is required, the proposed equalizer can cooperate with a reliable passive equalizer to ensure reliable operation. If higher efficiency is needed, the equalizer also allows designer to smoothly adjust the balancing power and efficiency by selecting different $Z_r$ in the circuit design.

Author Contributions: Conceptualization, X.L.; data curation, X.L., C.L., H.L.; formal analysis, X.L.; funding acquisition, L.K.; project administration, J.L.; software, B.H.; supervision, L.K.; validation, X.L.; writing—original draft, X.L.; writing—review and editing, C.L. and H.L. All authors have read and agreed to the published version of the manuscript.

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