Implementation of Deep Learning-Based Bi-Directional DC-DC Converter for V2V and V2G Applications—An Experimental Investigation

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Abstract: Growth in renewable energy systems, direct current (DC) microgrids, and the adoption of electric vehicles (EVs) will substantially increase the demand for bi-directional converters. Precise control mechanisms are essential to ensure optimal performance and better efficiency of these converters. This paper proposes a deep neural network (DNN)-based controller designed to precisely control bi-directional converters for vehicle-to-vehicle (V2V) and vehicle-to-grid (V2G) applications. This control technique allows the converter to quickly attain new reference values, enhancing performance and efficiency by significantly reducing the overshoot duration. To train the DNN controller, large synthetic data are used by performing simulations for various sets of conditions, and the results are validated with a hardware setup. The real-time performance of the DNN controller is compared with a conventional proportional–integral (PI)-based controller through simulated results using MATLAB Simulink (version 2023a) and with a real-time setup. The converter attains a new reference of about 975 \( \mu \text{s} \) with the proposed control technique. In contrast, the PI controller takes about 220 ms, which shows that the proposed control technique is far better than the PI controller.

Keywords: non-isolated bi-directional converter (NIBC); V2V charger; deep learning; high voltage; low voltage

1. Introduction

In recent times, there has been a significant shift towards using electric vehicles (EVs) in comparison to traditional fuel-based vehicles. This transition can be attributed to the limitations of conventional vehicles, such as their harmful impact on the environment due to increased pollution and reliance on non-renewable energy sources [1,2]. On the other hand, EVs have garnered immense popularity due to their eco-friendliness and the ability to charge them with renewable energy sources, as they can run on a direct current (DC) supply [3]. According to the International Energy Agency (IEA), the number of electric cars on the road exceeded 15 million in 2022, up from just a few thousand a decade ago. China has become the largest EV market, accounting for about half of the world’s EV sales [4]. In India, the electric vehicle market has experienced substantial growth, thanks to the implementation of favorable government policies and programs. It is exciting to note that between 2024 and 2035, a remarkable compound annual growth rate (CAGR) of 49% is expected for the domestic EV market in India. Despite this growth, EV adoption in India is still limited, with only 13 lakh EVs currently on Indian roads as of August 2022.

1.1. Motivation

One of the biggest challenges to EV growth in India is the lack of sufficient charging stations, which leads to longer charging times and limited options for EV owners. Electric
vehicle owners often experience range anxiety while on the road. When driving conventional fuel-based vehicles, the convenience of refilling at readily available fuel stations provides a safety net in case of running out of fuel. In contrast, for electric vehicles, the limited availability of charging stations creates severe concerns about their widespread adoption, as an unexpected stoppage due to a lack of charging infrastructure becomes a real worry. However, a potential solution to this problem is V2V charging [5]. V2V charging enables EV owners to transfer charge between two vehicles, reducing the need for charging stations and the burden on the grid. This technology is particularly useful in emergencies or when a vehicle is parked for an extended period. Transferring excess charge from one vehicle to another can provide a quick and convenient charging solution without requiring a traditional charging station.

Furthermore, V2V charging holds significant promise, offering many advantages, such as extending the operational range of electric vehicles during travel and reducing reliance on an expansive and costly charging infrastructure, often associated with high expenses and space consumption [6]. These applications necessitate the inclusion of bi-directional converters. Various types of bi-directional converters are available for the readily accessible transfer charge between two vehicles, forming the basis for creating a V2V charging system [7]. One prominent example is the non-isolated bi-directional converter (NIBC), known for its minimal energy losses, impressive efficiency, and lesser components, rendering it particularly well suited for low-voltage-level applications in comparison to other non-isolated and isolated converter topologies [8]. Beyond V2V charging, these converters also prove valuable in fuel cell hybrid power systems and V2G applications, enabling vehicles to draw power from the grid during off-peak periods and contribute electricity back into the grid during peak hours. This technology benefits the grid and provides electric vehicle owners with compensation based on the energy transferred, potentially incentivizing greater EV adoption. Various functions of the bi-directional converter are shown in Figure 1. Designing a control mechanism for these converters is challenging, as improper design may lead to an overshoot when acquiring new reference values. The extended overshoot of currents could result in reduced converter performance and efficiency by degrading the life of the components in the converter.

![Figure 1. Comprehensive functions of the bi-directional converter.](image)

1.2. Literature Review

The performance of switched-mode DC-DC power converters depends on various factors, including a more comprehensive and stable operating range, high accuracy in maintaining a constant output voltage, and faster dynamic response. Achieving these parameters requires the development of effective control techniques, which can be challenging. Over the years, researchers have developed various control techniques [9], such as the voltage mode controller [10] and current mode controller [11]. These two are basic controllers,
which give slower responses to converters. The most used control techniques are the sliding mode controller [12] and proportional–integral–derivative (PID)-based control technique. Even though sliding mode controllers have a faster transient response than PID controllers, due to the chattering effect [13] and small changes in the system, the parameters may affect the controller performance, which makes these controllers not often used. PID controllers are widely used in industries due to their robustness and simple implementation. However, tuning PID control gains can be difficult, and gains from PID control need to be changed by altering the system parameters. In [14], a PID-based converter is designed. Using this control technique, the converter attains a new reference value in 120 ms. Fuzzy logic control [15] is another type of control technique that has a more comprehensive operating range and is cheaper to implement. In [16], a new fuzzy logic-based controller is developed, and its performance compares with various sliding mode controllers. The controller takes about 7 ms to attain a new reference value. In [17], a new observer-based adaptive fuzzy logic control is used, which gives a response time of about 1 ms to attain a new reference value, which is faster, but implementing this control technique is quite complex, as it involves the design and tuning of fuzzy logic as well as the observer, which makes it difficult for complex systems. In [18], a unified digital control logic is used for controlling NIBC, which is based on a dual voltage system and has a slower transient response. In [19], a model-predictive control of a bi-directional converter for battery-charging applications is discussed, which gives a response time of about 70 ms to obtain new reference values. Model-predictive controllers have computational complexity, uncertainty problems, and involve complex tuning, which may degrade the controller performance. In recent years, researchers have shown interest in the ANN-based control technique [20,21], a data-driven control technique that does not depend on system parameters. This technique decreases inaccuracy and improves the system’s stability, with a faster response to dynamic changes. In [22], a detailed analysis of ANN control techniques is discussed. In [23], the ANN-based control algorithm is compared with PI and fuzzy control algorithms, and the settling time of this control technique is approximately 10 ms, which are better results than the other two control techniques. In [24], a bi-directional converter with a back propagation and adaptive neuro-fuzzy interference control technique is designed, and the settling time of the controller for attaining a new reference value is about 50 ms. In [25], an approximate dynamic programming and artificial neural network-based control technique is used to control the converter. When load change happens, it takes about 4 ms to settle.

While traditional control techniques such as PID control will continue to be used in industries, data-driven control techniques such as ANN are the future of power converter control. In this paper, we propose a control mechanism based on deep neural networks (DNNs), which gives a faster response to converters to obtain new reference values for V2V and V2G charging applications. This approach helps to reduce the overshoot of currents over longer durations and improves converter performance and efficiency.

1.3. Key Contributions
1. Design of a highly efficient, modular bi-directional converter for V2V charging.
3. Comparison of proposed controller with PI controller.

1.4. Organization

This paper presents a novel control technique of a NIBC for V2V charging. It is structured as follows: In Section 2, the operation of the converter in both charging and discharging modes is explained. Section 3 outlines the proposed design for the converter’s controller. Section 4 presents the simulation results of the bidirectional converter with the PI controller, and also the real-time implementation of V2V charging using the proposed DNN control technique.
2. Operation of Non Isolated Bi-Directional Converter (NIBC)

The NIBC is a circuit that consists of several components, including two switches (Q₁ and Q₂) with an on-state resistance $R_{\text{ds,on}}$, an inductor (L) with an internal resistance of $R_{L_P}$, and capacitors on both sides of the source to filter out voltage variations ($C_H$ and $C_L$). The two batteries, HV (high voltage $V_H$) and LV (low voltage $V_L$), are connected at either side of the converter. The HV battery, with an internal resistance of $R_1$, and the LV battery, with an internal resistance of $R_2$, form two voltage sources, $V_1$ and $V_2$, respectively, as shown in Figure 2. The converter can operate in two modes: charging and discharging. In charging mode, the HV side battery charges the LV side battery. In contrast, in discharging mode, the LV side battery charges the HV side battery. Understanding these modes is crucial to developing a control strategy for the NIBC.

The operation of two modes are explained below.

2.1. Mode I

During this mode, the HV side battery charges the LV side battery, operating in buck mode. When the Q₁ switch is turned on, inductor L accumulates energy during the on period. Q₁ remains on for the DTs period, and the current flows as $V_H$-Q₁-L-$V_L$-$V_H$ as illustrated in Figure 3a. When Q₁ is turned off, the energy stored in the inductor is transferred to the LV side by turning on the Q₂ switch. Q₁ remains off for the (1-D) Ts period, and the current flows as L-$V_L$-Q₂-L as illustrated in Figure 3b.

Figure 2. Circuit diagram of non-isolated bi-directional converter.

Figure 3. Operation of converter in charging mode: (a) switch Q₁ on, and (b) switch Q₁ off.
2.2. Mode II

During this mode of operation, the LV side battery charges the HV side battery in a boost mode of operation. Inductor L accumulates energy from the LV side battery when \( Q_2 \) is turned on. During this period, the \( C_H \) capacitor charges the HV side battery. The \( Q_2 \) switch remains on for the duration of DTs. The current path during this period is \( V_{L}-L-Q_2-V_{L} \) and \( C_H-V_{H}-C_H \) as depicted in Figure 4a. When \( Q_2 \) is turned off, the energy stored in the inductor and the LV side battery combine to charge the HV side battery by turning on the \( Q_1 \) switch. The \( Q_2 \) switch remains off for the duration of \((1-D)Ts\). The current path during this period is \( V_{L}-L-Q_1-V_{H}-V_{L} \) as shown in Figure 4b.

Designing a controller requires the small-signal modeling of the converter. The small-signal model for a DC-DC converter is a linearized representation of the converter around an operating point. It is used to design control systems that regulate the converter’s output and achieve the desired performance.

To create a small-signal model for a DC-DC converter, it typically begins with the nonlinear equations that describe the converter’s behavior, such as the current and voltage equations for the inductor and capacitor. We then linearize these equations around an operating point, usually the converter’s steady-state point.

From the above modes of operation, whether in charging or discharging mode, only two sub-intervals occur when \( Q_1 \) and \( Q_2 \) are on. The nonlinear equations for the two modes are similar. Therefore, the steady-state representation of the charging mode is: **Buck mode (on):**

\[
L \frac{di_L}{dt} + i_L(R_{ds\text{on}} + R_{LP}) = V_1 - V_2 \\
R_{ds\text{on}} + R_{LP} = R_p
\]

\[
\frac{di_L}{dt} = -\frac{i_L}{L}(R_p) + \frac{V_1}{L} - \frac{V_2}{L}
\]

\[
C_H \frac{dV_1}{dt} = -i_L + \frac{V_1 - V_H}{R_1}
\]
\[ \frac{dV_1}{dt} = -\frac{i_L}{C_H} + \frac{V_1}{R_1 \cdot C_H} - \frac{V_H}{R_1 \cdot C_H} \]  
\[ \frac{C_L \, dV_2}{dt} = i_L - \frac{V_2 - V_L}{R_2} \]  
\[ \begin{bmatrix} i_L \\ V_1 \\ V_2 \end{bmatrix} = \begin{bmatrix} -\frac{R_p}{L} & \frac{1}{C_H} & 0 \\ \frac{1}{R_1 \cdot C_H} & -\frac{1}{R_2 \cdot C_L} & 0 \\ 0 & -\frac{1}{R_2 \cdot C_L} & 1 \end{bmatrix} \begin{bmatrix} i_L \\ V_1 \\ V_2 \end{bmatrix} + \begin{bmatrix} 0 \\ \frac{1}{R_1 \cdot C_H} \\ \frac{1}{R_2 \cdot C_L} \end{bmatrix} \begin{bmatrix} V_H \\ V_L \end{bmatrix} \]

Buck mode (off):

\[ \frac{L \, di_L}{dt} + i_L (R_{dson} + R_{LP}) = -V_2 \]

\[ R_{dson} + R_{LP} = R_P \]

\[ \frac{di_L}{dt} = -\frac{i_L}{L} (R_P) - \frac{V_2}{L} \]  
\[ \frac{C_H \, dV_1}{dt} = \frac{V_1 - V_H}{R_1} \]  
\[ \frac{dV_1}{dt} = \frac{V_1}{C_H \cdot R_1} - \frac{V_H}{C_H \cdot R_1} \]  
\[ \frac{C_L \, dV_2}{dt} = i_L - \frac{V_2 - V_L}{R_2} \]  
\[ \begin{bmatrix} i_L \\ V_1 \\ V_2 \end{bmatrix} = \begin{bmatrix} -\frac{R_p}{L} & 0 & -\frac{1}{R_2 \cdot C_L} \\ 0 & -\frac{1}{R_1 \cdot C_H} & 0 \\ \frac{1}{R_1 \cdot C_H} & 0 & 1 \end{bmatrix} \begin{bmatrix} i_L \\ V_1 \\ V_2 \end{bmatrix} + \begin{bmatrix} \frac{1}{R_1 \cdot C_H} \\ \frac{1}{R_2 \cdot C_L} \end{bmatrix} \begin{bmatrix} V_H \\ V_L \end{bmatrix} \]

By averaging the two,

\[ \dot{X} = \left( A_{on} \cdot d(t) + A_{off} \cdot (1 - d(t)) \right) \cdot x(t) + \left( B_{on} \cdot d(t) + B_{off} \cdot (1 - d(t)) \right) \cdot u(t) \]

\[ \frac{di_L}{dt} = \left( -\frac{i_L}{L} \cdot R_P + \frac{V_1}{L} - \frac{V_2}{L} \right) \cdot (d) + \left( -\frac{i_L}{L} \cdot R_P - \frac{V_2}{L} \right) \cdot (1 - d) \]  
\[ \frac{di_L}{dt} = -\frac{i_L}{L} \cdot R_P + \frac{V_1}{L} \cdot d - \frac{V_2}{L} \]  
\[ \frac{dV_1}{dt} = \left( -\frac{i_L}{C_H} + \frac{V_1}{R_1 \cdot C_H} - \frac{V_H}{R_1 \cdot C_H} \right) \cdot (d) + \left( \frac{V_1}{R_1 \cdot C_H} - \frac{V_H}{R_1 \cdot C_H} \right) \cdot (1 - d) \]  
\[ \frac{dV_1}{dt} = -\frac{i_L}{C_H} \cdot d + \frac{V_1}{R_1 \cdot C_H} - \frac{V_H}{R_1 \cdot C_H} \]  
\[ \frac{dV_1}{dt} = -\frac{i_L}{C_H} \cdot d + \frac{V_1}{R_1 \cdot C_H} - \frac{V_H}{R_1 \cdot C_H} \]
\[
\frac{dV_2}{dt} = \left( i_L + \frac{V_2}{C_L} - \frac{V_L}{R_2 \cdot C_L} \right) \cdot (d) + \left( i_L + \frac{V_2}{C_L} - \frac{V_L}{R_2 \cdot C_L} \right) \cdot (1-d)
\]

\[
\frac{dV_2}{dt} = \frac{i_L}{C_L} - \frac{V_2}{R_2 \cdot C_L} - \frac{V_L}{R_2 \cdot C_L}
\]

\[
\begin{bmatrix}
\dot{i}_L \\
\dot{V}_1 \\
\dot{V}_2
\end{bmatrix} = \begin{bmatrix}
\frac{-R_p}{D} & \frac{d}{D} & -\frac{1}{L} \\
\frac{1}{C_H} & \frac{1}{R_1 \cdot C_H} & -\frac{1}{R_2 \cdot C_L} \\
\frac{1}{C_L} & 0 & -\frac{1}{R_2 \cdot C_L}
\end{bmatrix} \begin{bmatrix}
i_L \\
V_1 \\
V_2
\end{bmatrix} + \begin{bmatrix}
0 \\
-\frac{1}{R_1 \cdot C_H} \\
0
\end{bmatrix} \begin{bmatrix}
V_H \\
V_L \\
\dot{V}_H
\end{bmatrix}
\]

\[
\dot{X} = A \cdot \begin{bmatrix}
i_L \\
V_1 \\
V_2
\end{bmatrix} + B \cdot \begin{bmatrix}
V_H \\
V_L
\end{bmatrix} \& Y = C \cdot \begin{bmatrix}
i_L \\
V_1 \\
V_2
\end{bmatrix}
\]

\[
A = \begin{bmatrix}
\frac{-R_p}{D} & \frac{d}{D} & -\frac{1}{L} \\
\frac{1}{C_H} & \frac{1}{R_1 \cdot C_H} & -\frac{1}{R_2 \cdot C_L} \\
\frac{1}{C_L} & 0 & -\frac{1}{R_2 \cdot C_L}
\end{bmatrix}; B = \begin{bmatrix}
0 \\
-\frac{1}{R_1 \cdot C_H} \\
0
\end{bmatrix} \& C = \begin{bmatrix}
1 & 0 & 0 \\
0 & 1 & 0 \\
0 & 0 & 1
\end{bmatrix}
\]

The dynamic model consists of steady-state representation and a small-signal model. Now substituting:

\[
d = D + \dot{d}; i_L = I_L + \dot{i}_L; V_1 = \dot{V}_1; V_2 = \dot{V}_2;
\]

\[
\begin{bmatrix}
i_L + \dot{i}_L \\
\dot{V}_1 + \dot{\dot{V}}_1 \\
\dot{V}_2 + \dot{\dot{V}}_2
\end{bmatrix} = \begin{bmatrix}
\frac{-R_p}{D} & \frac{D+d}{D} & -\frac{1}{L} \\
\frac{1}{C_H} & \frac{1}{R_1 \cdot C_H} & -\frac{1}{R_2 \cdot C_L} \\
\frac{1}{C_L} & 0 & -\frac{1}{R_2 \cdot C_L}
\end{bmatrix} \begin{bmatrix}
i_L \\
V_1 \\
V_2
\end{bmatrix} + \begin{bmatrix}
0 \\
-\frac{1}{R_1 \cdot C_H} \\
0
\end{bmatrix} \begin{bmatrix}
V_H \\
V_L \\
\dot{V}_H
\end{bmatrix}
\]

Now, the differentiation of steady-state values is zero, and the product of the small-signal models are neglected, i.e.,

\[
i_L, V_1, \& V_2 = 0
\]

and

\[
d, \dot{i}_L, \dot{\dot{V}}_1 \& \dot{\dot{V}}_2 = 0
\]

then the state–space representation becomes:

\[
\begin{bmatrix}
\dot{i}_L \\
\dot{\dot{V}}_1 \\
\dot{\dot{V}}_2
\end{bmatrix} = \begin{bmatrix}
\frac{-R_p}{D} & \frac{D+d}{D} & -\frac{1}{L} \\
\frac{1}{C_H} & \frac{1}{R_1 \cdot C_H} & -\frac{1}{R_2 \cdot C_L} \\
\frac{1}{C_L} & 0 & -\frac{1}{R_2 \cdot C_L}
\end{bmatrix} \begin{bmatrix}
i_L \\
V_1 \\
V_2
\end{bmatrix} + \begin{bmatrix}
0 \\
-\frac{1}{R_1 \cdot C_H} \\
0
\end{bmatrix} \begin{bmatrix}
V_H \\
V_L \\
\dot{V}_H
\end{bmatrix}
\]

\[
\begin{bmatrix}
\dot{i}_L \\
\dot{\dot{V}}_1 \\
\dot{\dot{V}}_2
\end{bmatrix} = \begin{bmatrix}
\frac{-R_p}{D} & \frac{D+d}{D} & -\frac{1}{L} \\
\frac{1}{C_H} & \frac{1}{R_1 \cdot C_H} & -\frac{1}{R_2 \cdot C_L} \\
\frac{1}{C_L} & 0 & -\frac{1}{R_2 \cdot C_L}
\end{bmatrix} \begin{bmatrix}
i_L \\
V_1 \\
V_2
\end{bmatrix} + \begin{bmatrix}
0 \\
-\frac{1}{R_1 \cdot C_H} \\
0
\end{bmatrix} \begin{bmatrix}
V_H \\
V_L \\
\dot{V}_H
\end{bmatrix}
\]

\[
\begin{bmatrix}
\dot{i}_L \\
\dot{\dot{V}}_1 \\
\dot{\dot{V}}_2
\end{bmatrix} = \begin{bmatrix}
\frac{-R_p}{D} & \frac{D+d}{D} & -\frac{1}{L} \\
\frac{1}{C_H} & \frac{1}{R_1 \cdot C_H} & -\frac{1}{R_2 \cdot C_L} \\
\frac{1}{C_L} & 0 & -\frac{1}{R_2 \cdot C_L}
\end{bmatrix} \begin{bmatrix}
i_L \\
V_1 \\
V_2
\end{bmatrix} + \begin{bmatrix}
0 \\
-\frac{1}{R_1 \cdot C_H} \\
0
\end{bmatrix} \begin{bmatrix}
V_H \\
V_L \\
\dot{V}_H
\end{bmatrix}
\]
\[
\begin{bmatrix}
\dot{I}_L \\
\dot{\hat{v}}_1 \\
\dot{\hat{v}}_2
\end{bmatrix}
= \begin{bmatrix}
-\frac{R_p}{L} & \frac{D}{L} & -\frac{1}{L} \\
0 & 0 & 0 \\
-\frac{1}{L} & 0 & 0
\end{bmatrix}
\begin{bmatrix}
\dot{I}_L \\
\dot{\hat{v}}_1 \\
\dot{\hat{v}}_2
\end{bmatrix}
+ \begin{bmatrix}
0 & 0 & \frac{I_L}{V_H} \\
\frac{V_L}{V_H} & \frac{1}{C_L} & 0 \\
0 & 0 & \frac{1}{C_L}
\end{bmatrix}
\begin{bmatrix}
\hat{v}_H \\
\hat{v}_L \\
\hat{d}
\end{bmatrix}
\]

so, the above state–space is represented as:

\[
\begin{aligned}
\dot{X} &= AX + BU \\
0 &= AX + BU \\
X &= -A^{-1}BU \\
Y(s) &= C(sI - A)^{-1}BU(s)
\end{aligned}
\]


\[
\begin{bmatrix}
\dot{I}_L \\
\dot{\hat{v}}_1 \\
\dot{\hat{v}}_2
\end{bmatrix}
= \begin{bmatrix}
1 & 0 & 0 \\
0 & 1 & 0 \\
0 & 0 & 1
\end{bmatrix}
\begin{bmatrix}
[S & 0 & 0] \\
0 & S & 0 \\
0 & 0 & S
\end{bmatrix}
- \begin{bmatrix}
-\frac{R_p}{L} & \frac{D}{L} & -\frac{1}{L} \\
0 & 0 & 0 \\
-\frac{1}{L} & 0 & 0
\end{bmatrix}
\begin{bmatrix}
\frac{V_H}{V_L} \\
\frac{1}{C_L} & 0 \\
0 & \frac{1}{C_L}
\end{bmatrix}
\begin{bmatrix}
\hat{v}_H \\
\hat{v}_L \\
\hat{d}
\end{bmatrix}
\]

The linearized equations resulting from the small-signal model provide a description of the converter’s behavior near the operating point, enabling the design of a controller to regulate the load current. Typically, the controller adjusts the converter’s duty cycle based on the difference between the desired and actual current to achieve the desired response.

The small-signal model is represented by a transfer function that relates the converter’s duty cycle to the desired output. This transfer function can be used to design a controller using control theory techniques, such as pole placement or optimal control.

### 3. Controller Design

The design of a control technique based on a deep neural network (DNN), as depicted in Figure 5, enables bidirectional flow in the converter. This controller produces a duty cycle based on the HV side battery voltage, LV side battery voltage, output current and current reference. The micro controller then feeds this duty cycle to the converter [26]. The converter generates two complementary pulses based on the received duty cycle using the driver, which drives the switches in the converter, enabling them to work as intended. This DNN-based control design offers several benefits, such as improved accuracy, faster response time, and enhanced stability, making it an excellent option for various applications. By integrating the latest developments in deep learning and control systems design, this control technique opens up opportunities for more efficient and dependable converter operation.

The DNN network comprises three inputs and one output, with the output being dependent on these three inputs as shown in Equation (10):

\[
D = f(i_{ref}, V_1, V_2)
\]

The power flow through the converter heavily relies on the duty cycle and direction of the current. Therefore, the DNN-based control technique was used to determine the duty cycle required for efficient converter operation. The duty cycle is based on two instances, which are discussed below.
The first instance involves setting high and low limits for the two battery voltages. The DNN generates the duty cycle based on these limits, and the converter operates either in charging or discharging mode, depending on the battery voltages. The converter is in charging mode when the HV side battery voltage is higher than $V_{H_{\text{high}}}$ and the LV side battery voltage is lower than $V_{L_{\text{low}}}$. Conversely, if the HV side battery voltage is lower than $V_{H_{\text{low}}}$, and the LV side battery voltage is higher than $V_{L_{\text{high}}}$, the converter operates in discharging mode. However, this instance is rare, as the converter’s operation mainly depends on the current reference.

In the second instance, the DNN generates the duty cycle based on the current reference, which determines the mode of operation. If the current reference is positive, the converter operates in a buck or charging mode, with the HV side battery charging the LV side battery. On the other hand, if the current reference is negative, the converter operates in boost or discharging mode, with the LV side battery charging the HV side battery. Therefore, the DNN-based control design ensures that the bi-directional converter operates smoothly and efficiently, with minimal loss of power during the transition between different modes of operation.

3.1. Training and Testing of Proposed DNN Controller

To design a controller capable of managing a broader operating range and delivering a quicker dynamic response to the system, it is essential to consider data sets that reflect uncertainties and disturbances present in real-world scenarios. Although data sets created with past historical data can be helpful, they may not accurately reflect the uncertainties in real-time setups. To overcome this limitation, simulation data of the converter, incorporating all uncertainties and disturbances present in the system using MATLAB software, are obtained. Integrating these data into DNN models creates resilient and efficient controllers, assuring exceptional performance in practical, real-world scenarios. The generated data sets include both normal and abnormal data, enabling the development of more comprehensive models that can handle a wide range of scenarios. Following data set preparation, inputs and outputs are allocated to the model. Next, a neural network model is constructed, consisting of an input layer with a defined number of input nodes, hidden layers, and an output layer with a defined number of output nodes. The model’s hyperparameters are configured, and the training process is initiated using these parameters. Afterward, the model’s performance is evaluated, particularly on the root mean square error (RMSE) metric. If the RMSE value is greater, the hyperparameters are changed, and the model is retrained until an RMSE value approximately equal to zero is achieved. Once the desired RMSE value is achieved, the training is concluded. The complete flow of the proposed algorithm is shown in Figure 6.
3.1.1. Building Model Using MATLAB

We used the MATLAB software as our primary tool to build the model. Within MATLAB, the neural network (NN) tool, an essential component, offers a range of DNN methods for access. Amidst these options, we chose the regression-based DNN method to suit our objectives. With the method in place, the next step is the selection of input and output variables, which form the basis for building the model. Following this, we divided the data into training, testing, and validation sets. We changed various hyperparameter combinations during the training phase to optimize model performance, evaluating model performance with the root mean square error (RMSE). The iterative process of adjusting hyperparameters continues until the RMSE approaches nearly zero, signifying the achievement of an acceptable model. It is essential that selecting the correct hyperparameters is pivotal to training an effective DNN model. Once the desired RMSE is reached, the model is exported into Simulink for practical application. We used Intel(R) Core(TM) i7-10870H CPU processor with a clock speed of 2.21 GHz with 16 GB RAM, which takes about 5 min to train the model.

3.1.2. Hyperparameter Selection

Hyperparameter selection involves choosing the appropriate number of epochs, activation function, weight update rule, and network architecture parameters to train an effective neural network model that minimizes error. The activation function introduces nonlinearities in the system and improves the trained model's efficiency for non-linear systems. Among the available activation functions, sigmoid ($A_s$), tanh ($A_t$) and ReLU ($A_r$) are the most used.

The weight update policy minimizes the error between the obtained and reference output. Optimizers, such as stochastic gradient descent (SGD), adaptive moment estimation (ADAM), and root mean square propagation (RMSprop), are generally used for the weight updating policy.
Selecting the right hyperparameters is crucial for developing efficient deep learning models. Root mean square error (RMSE) is a commonly used metric for evaluating model performance, which measures the difference between the predicted and actual values. Choosing the optimal combination of optimization techniques and activation functions is essential for optimal performance. Table 1 provides a list of RMSE values for different combinations of these techniques and functions, with each epoch consisting of a single weight update. The RMSE values are reported for 50, 100, and 150 epochs, providing a comprehensive overview of each combination’s performance. By selecting the combination with the lowest RMSE value, we can determine the optimal hyper parameters for our deep learning model.

Table 1. Hyperparameter selection.

<table>
<thead>
<tr>
<th>Epochs</th>
<th>Optimizer</th>
<th>Activation Function</th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td>Sigmoid</td>
<td>ReLU</td>
</tr>
<tr>
<td>50</td>
<td>Adam</td>
<td>0.02256</td>
</tr>
<tr>
<td></td>
<td>RMSprop</td>
<td>0.03945</td>
</tr>
<tr>
<td></td>
<td>SGD</td>
<td>0.15299</td>
</tr>
<tr>
<td>100</td>
<td>Adam</td>
<td>0.00707</td>
</tr>
<tr>
<td></td>
<td>RMSprop</td>
<td>0.03002</td>
</tr>
<tr>
<td></td>
<td>SGD</td>
<td>0.08281</td>
</tr>
<tr>
<td>150</td>
<td>Adam</td>
<td>0.00501</td>
</tr>
<tr>
<td></td>
<td>RMSprop</td>
<td>0.00635</td>
</tr>
<tr>
<td></td>
<td>SGD</td>
<td>0.04432</td>
</tr>
</tbody>
</table>

According to Table 1, the ReLU activation function with SGD optimization function gives a lower RMSE compared to other combinations.

The collected data set contains a diverse range of values, and normalizing the data between −1 and +1 or 0 and 1 is necessary for accurate and reliable analysis. The normalization process is typically performed using standard scalar and min-max functions. In our case, we opted for the min-max function to normalize the data from 0 to 1 to enhance our data analysis and interpretation [27–36].

The scaled input is given in (11):

\[ \text{Scaled input} = \frac{V_x - V_{x_{min}}}{V_{x_{max}} - V_{x_{min}}} \]  

where \( V_x \) represents the current input value of parameter \( x \)
\( V_{x_{min}} \) represents the minimum value of \( x \) and
\( V_{x_{max}} \) represents the maximum value of \( x \)

After scaling the data, we divided them into three sections for optimal utilization. The training process used 70% of the data, while 15% was used for validation and another 15% for testing. This approach helped us achieve an optimal balance between training the model, validating its performance, and testing its accuracy, ensuring that the model’s predictions were reliable [37–46].

3.2. Algorithm

The DNN model comprises four layers, with one input layer consisting of four input nodes denoted as “\( I_n \)”, while two hidden layers with ten nodes each represent “\( H_{1n} \)” and “\( H_{2n} \)”, respectively. The output layer with one output node is indicated as “\( O_n \)”. The weight parameters between “\( I_n \)” and “\( H_{1n} \)”, “\( H_{1n} \)” and “\( H_{2n} \)” and “\( H_{2n} \)” and “\( O_n \)” are represented by \( m_1 \), \( m_2 \), and \( m_3 \), respectively, as shown in Figure 7.

To predict the output \( \hat{O}_n \), the proposed model begins by learning parameters of \( m_n \), \( b_n \), and \( a \), which are used as the initial conditions. Equations (12)–(14) show the output prediction.
The model is trained using the ReLU activation function and SGD optimization function, which yields better results compared to other combinations:

$$S_1 = m_1 \ast I_n + b_1; \quad H_{an} = f(S_1) \quad (12)$$

$$S_2 = m_2 \ast H_{an} + b_2; \quad H_{bn} = f(S_2) \quad (13)$$

$$S_3 = m_3 \ast H_{bn} + b_3; \quad O_n = f(S_3) = \hat{O}_i \quad (14)$$

The RMSE metric is used for performance evaluation of the proposed model and is shown in (15)

$$\text{RMSE} = \sqrt{\frac{1}{P} \sum_{i=1}^{P} (O_i - \hat{O}_i)^2} \quad (15)$$

The cost function is used to minimize RMSE between the predicted and output value and is shown in (16)

$$\text{Cost} (f) = \frac{1}{2P} \sum_{i=1}^{P} |\hat{O}_i - O_i|^2 \quad (16)$$

Stochastic gradient descent (SGD) selects a small subset of training data $|\beta|$ from the entire training state–space randomly. As a result, the time taken for a single weight update iteration in SGD is significantly lower compared to gradient descent (GD) [47–55]. In general, the weight update for the input and hidden layer is (17)

$$m \leftarrow m - \frac{\alpha}{|\beta|} \sum_{i \in \beta} H_i \left(m^T \cdot H_i + b_i - O_i\right) \quad (17)$$

The weight update for bias is given in (18):

$$m \leftarrow m - \frac{\alpha}{|\beta|} \sum_{i \in \beta} \left(m^T \cdot H_i + b_i - O_i\right) \quad (18)$$

To ensure the accuracy and robustness of a DNN model, the model parameters are typically trained over multiple epochs. After the training is complete, the resulting model is tested and validated to assess its performance on new, unseen data. This iterative training,
testing, and validation process allows fine-tuning of the model to achieve better results and improve its predictive power.

The complete diagram of the proposed technique with a comparison of the model predictive technique in [56] is shown in Figure 8.

![Figure 8. Complete diagram of controller: (a) proposed control technique, and (b) control technique used in [56].](image)

### 4. Results

In this section, we evaluate the performance of a bi-directional converter using two different controllers, namely PID and DNN. The performance of the bi-directional converter is evaluated using the PID controller in both simulations using MATLAB simulink and with the real-time hardware setup. Simultaneously, same real-time setup of the bi-directional converter was used to evaluate the performance with the DNN controller. We discuss the performance of these two different controllers in detail below.

#### 4.1. Simulation of Bi-Directional Converter Using PID Controller

A MATLAB simulation was conducted on a bi-directional converter with a PID controller for both charging to discharging and discharging to charging operations. For the charging operation, we used a positive current reference, and for the discharging operation, we used a negative current reference. The simulation results are presented below.

##### 4.1.1. Charging to Discharging Mode

In this case, by altering the current reference from $-2 \text{ A}$ to $2 \text{ A}$, we successfully transitioned the operation of the bi-directional converter from charging to discharging mode using the PID controller. The load current in the bi-directional converter reached the new reference value in a mere 138 ms as shown in Figure 9.

![Figure 9. Load current for mode transition from charging to discharging using PID controller.](image)
4.1.2. Discharging to Charging Mode

Upon implementing the PID controller for the bi-directional converter, we adjusted the current reference from 2 A to −2 A, which caused the converter to switch from discharging to charging mode. The time taken by the load current to reach the reference current during this transition is illustrated in Figure 10, and it was measured to be 140 ms.

![Figure 10. Load current for mode transition from discharging to charging using PID controller.](image)

4.2. Hardware Implementation of Bi-Directional Converter Using PID Controller

The hardware setup we designed and used in this paper for V2V and V2G charging applications has a capacity of 1.5 kW, and the converter will operate with wide input voltage ranges from 15 V to 80 V and has an output of 50 V and 30 A. Table 2 shows the complete information about the converter.

Table 2. Parameters of the proposed controller.

<table>
<thead>
<tr>
<th>Parameters</th>
<th>DNN</th>
</tr>
</thead>
<tbody>
<tr>
<td>Weight update rule</td>
<td>SGD</td>
</tr>
<tr>
<td>Performance metric</td>
<td>RMSE</td>
</tr>
<tr>
<td>Epochs</td>
<td>100</td>
</tr>
<tr>
<td>Activation function</td>
<td>ReLU</td>
</tr>
<tr>
<td>No. of input nodes</td>
<td>4</td>
</tr>
<tr>
<td>No. of hidden layer1 nodes</td>
<td>10</td>
</tr>
<tr>
<td>No. of hidden layer2 nodes</td>
<td>10</td>
</tr>
<tr>
<td>No. of output layer nodes</td>
<td>1</td>
</tr>
</tbody>
</table>

The real-time implementation of a bi-directional converter featuring two batteries, which are replicas of those found in two vehicles, is presented. The setup showcases a higher voltage on one end and a lower voltage on the other end of the converter as depicted in Figure 11. The detailed converter parameters are shown in Table 3. The converter operation is controlled using the PID control technique. The results below show the effectiveness of the PID control technique of the load current for mode transitions between the charging to discharging and discharging to charging operations of a bi-directional converter.
Figure 11. Real-time setup of a bi-directional converter.

Table 3. Converter specifications.

<table>
<thead>
<tr>
<th>Specifications</th>
<th>Value</th>
</tr>
</thead>
<tbody>
<tr>
<td>Input voltage ( (V_{in}) )</td>
<td>15–80 V</td>
</tr>
<tr>
<td>Output voltage ( (V_{out}) )</td>
<td>0–50 V</td>
</tr>
<tr>
<td>Output current ( (I_{out}) )</td>
<td>30 A</td>
</tr>
<tr>
<td>Efficiency ( (\eta) )</td>
<td>99.6%</td>
</tr>
<tr>
<td>Frequency ( (f_s) )</td>
<td>39 kHz</td>
</tr>
<tr>
<td>Inductor ( (L) )</td>
<td>72 µH</td>
</tr>
<tr>
<td>Capacitor ( (C) )</td>
<td>470 µf</td>
</tr>
<tr>
<td>MOSFETs</td>
<td>IRFP260N</td>
</tr>
</tbody>
</table>

4.2.1. Charging to Discharging Mode

In this case, we performed a charging to discharging mode transition in a bi-directional converter by changing the current reference from 2 A to \(-2\ A\) using a PID controller. Figure 12 shows the waveform of the load current during the transition from the charging to discharging mode. The load current reached the new reference value in approximately 220 ms. Figure 13 shows the response of the load current from the charging to discharging mode transition.

Figure 12. Load current during mode transition from charging to discharging using PID.
4.2.2. Discharging to Charging Mode

In this case, we conducted a mode transition from discharging to charging in a bi-directional converter. We achieved this by changing the current reference from $-2 \text{ A}$ to $2 \text{ A}$. Figure 14 illustrates the waveform of the load current during the transition. The load current reached the new reference value in roughly 200 ms using the PID controller.

4.3. Hardware Implementation of Bi-Directional Converter Using DNN Controller

Real-time implementation of a bi-directional converter with a DNN controller can facilitate smooth transitions from charging to discharging and vice versa. To demonstrate the effectiveness of this setup, we included the output current for both mode transitions, as well as the voltage across the two batteries.

Standalone implementation of the DNN controller algorithm is deployed in a microcontroller. To begin, diverse data sets were meticulously prepared under various conditions using a practical DC-DC converter. These data sets were then saved in comma-separated values (CSV) format, conveniently stored in an Excel file. The obtained data were used to train the DNN model using the neural network model, available in MATLAB 2022a software. Once the training phase was completed, the DNN model was deployed onto an ATMEGA2560 microcontroller using the supported package provided by MATLAB [57]. This deployment allowed the controller to function independently, operating in a standalone mode. Remarkably, the microcontroller’s memory usage for this implementation amounted to a mere 21 kb [58–62].

4.3.1. Charging to Discharging Mode

Load Current:
In this case, we performed a charging to discharging mode transition in a bi-directional converter by changing the current reference from 2 A to \(-2\) A. Figure 15 shows the waveform of the load current during the transition from charging to discharging mode. Impressively, the load current reached the new reference value in approximately 975 \(\mu\)s, significantly faster than what the PID controller achieved. This outcome highlights the superior performance of the DNN controller over the PID controller in achieving a new reference value for the output current.

**Figure 15.** Load current during mode transition from charging to discharging using DNN.

**HV Battery (\(V_1\)):**

In this case, we discuss the voltage behavior of an HV side battery during the mode transition from charging to discharging operations. When the converter is in charging mode, the HV side battery will discharge and charge the LV side battery. The voltage across the HV side battery in this mode is around 24.48 V. However, when the converter switches from charging to discharging operation, the HV side battery is charged by the LV side battery, causing a slight increase in the HV side battery voltage to around 24.75 V. To accurately depict these slight changes in voltage, we used a voltage scale of 0.34 V/Div, as shown in Figure 16.

**Figure 16.** Voltage of HV battery during mode transition from charging to discharging using DNN.

**LV Battery (\(V_2\)):**

In this case, we will discuss the voltage behavior of an LV side battery during the mode transition from charging to discharging operations. When the converter operates in
charging mode, the HV side battery charges the LV side battery. The voltage across the LV side battery in this mode is approximately 12.7 V. However, when the converter switches from the charging to discharging operation, the LV side battery discharges and charges the HV side battery, leading to a decrease in the LV side battery voltage to about 12.39 V. To precisely depict these slight changes in voltage, we used a voltage scale of 0.125 V/Div as demonstrated in Figure 17.

Figure 17. Voltage of LV battery during mode transition from charging to discharging using DNN.

4.3.2. Discharging to Charging Mode

Load Current:

In this case, we conducted a mode transition from discharging to charging in a bi-directional converter. We achieved this by changing the current reference from −2 A to 2 A. Figure 18 illustrates the waveform of the load current during the transition. Impressively, the load current reached the new reference value in roughly 960 μs, which is considerably quicker than what the PID controller accomplished. This outcome highlights the DNN controller’s superior performance over the PID controller in achieving a new reference value for the load current.

Figure 18. Load current during mode transition from discharging to charging using DNN.

HV Battery ($V_{1}$):

In this case, we will discuss the voltage behavior of an HV side battery during the mode transition from discharging to charging operations. When the converter is in discharging mode, the HV side battery charges by the LV side battery. The voltage across the HV side battery in this mode is around 24.9 V. However, when the converter switches from the
discharging to charging operation, the HV side battery discharges and charges the LV side battery, causing a slight decrease in the voltage to around 24.2 V. To accurately depict these slight changes in voltage, we used a voltage scale of 1 V/Div as shown in Figure 19.

Figure 19. Voltage of HV battery during mode transition from discharging to charging using DNN controller.

**LV Battery (V2):**

In this case, we will be discussing the voltage behavior of the LV side battery during the transition from discharging to charging operations in a bi-directional converter. While the converter is in discharging mode, the LV side battery discharges and charges the HV side battery. During this, the voltage across the LV side battery is around 12.36 V. However, when the converter switches from the discharging to charging operation, the LV side battery will be charged by the HV side battery, resulting in a slight increase in the voltage of the LV side battery to around 12.6 V. To accurately display these slight voltage changes, we used a voltage scale of 0.125 V/Div as shown in Figure 20.

Figure 20. Voltage of LV battery during mode transition from discharging to charging using DNN controller.

**Limitations and future scope of proposed technique:**

The application of deep learning has experienced a transformative evolution, emerging as a powerful tool for enhancing the efficiency and stability of power electronic converters. However, this technology raises some ethical concerns. Deep neural networks depend on extended data sets, and biased data can give rise to inequitable predictions, casting a
shadow on the integrity of the results. Over reliance on deep neural networks without alternative safety nets can precipitate substantial reliability risks. Thus, while deep learning promises excellent strides in power electronics, collaborating with experts in power electronics and ethics may become essential for proper usage.

There will be sufficient growth in intelligent controls in power electronic converters in the future, and reinforcement learning may replace the DNN controllers. It is an online training model that trains the model automatically. Research is gradually transitioning from DNN controllers to physics-informed neural networks (PINNs), combining physical and deep learning models to enhance control reliability and performance. The comparison of proposed controller with different controllers are given in Table 4.

<table>
<thead>
<tr>
<th>Controller</th>
<th>Settling Time</th>
</tr>
</thead>
<tbody>
<tr>
<td>[14] PI controller</td>
<td>120 ms</td>
</tr>
<tr>
<td>[19] Model predictive controller</td>
<td>70 ms</td>
</tr>
<tr>
<td>[24] back propagation neuro controller</td>
<td>50 ms</td>
</tr>
<tr>
<td>[16] approximation fuzzy controller</td>
<td>7 ms</td>
</tr>
<tr>
<td>[25] Dynamic programming ANN controller</td>
<td>4 ms</td>
</tr>
<tr>
<td>[17] observer based adaptive fuzzy controller</td>
<td>1 ms</td>
</tr>
<tr>
<td>Proposed controller</td>
<td>975 μs</td>
</tr>
</tbody>
</table>

5. Conclusions

This paper presents the significance of V2V and V2G charging and proposes a novel approach that employs a DNN-based non-isolated bi-directional converter. We conducted a hardware experiment of our proposed controller and compared the transition time of the load current with a traditional PID controller using MATLAB Simulink software. The results demonstrate that the DNN controller attains the reference value in 975 μs, whereas PID controller attains a new reference value in 220 ms, which shows that the DNN controller has a faster response time than the PID controllers. Additionally, we analyzed the behavior of HV and LV side battery voltages during the transition from charging to discharging and vice versa. The results show that the DNN-based controller outperforms conventional PID controllers in terms of performance. These findings demonstrate the potential benefits of using DNN-based controllers for bi-directional converters.

Author Contributions: Conceptualization, M.K.B. and S.M.; methodology, M.K.B.; software, M.K.B.; validation, M.K.B., S.M. and N.B.S.K.; formal analysis, M.K.B.; investigation, M.K.B.; resources, S.M.; data curation, M.K.B.; writing—original draft preparation, M.K.B.; writing—review and editing, Sreedhar Madichetty.; visualization, M.K.B.; supervision, S.M.; project administration, S.M.; funding acquisition, S.M. All authors have read and agreed to the published version of the manuscript.

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Conflicts of Interest: The authors declare no conflict of interest.

References


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